

INSTRUCTIONS

Universal slide rule «WIRE» IWA 09102

System: Kohlhasse-Heuel



Universal pocket slide rule «WIRE» ARISTO 40128

System: Kohlhasse-Heuel



Published and distributed by
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Höhenstraße 63, D-9050 Marfan am See

INSTRUCTIONS

for the
Universal slide rule
«WIRE» IWA 09 102
System: Kohlhase-Heuel

and
Universal pocket slide rule
«WIRE» ARISTO 40 128
System: Kohlhase-Heuel



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Hermann F. Heuel

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INSTRUCTIONS

1. To use

Universal slide rule
«WIRE» (WA 0910)

System Kohlisch-Henel

and

Universal pocket slide rule
«WIRE» ARISTO 40128

System Kohlisch-Henel

Published and distributed by

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FOREWORD

With the issue of this instruction book and the newly developed

Universal Pocket Slide Rule "DRAHT" ARISTO 40 128

System: Kohlhase-Heuel

Produced in 1965, having dimensions of 165×75 mm this fulfilled a great wish of my friends, who created the initiative for the development. All technicians in the Home and Foreign wire bar and tube industries are now in a position to determine all factors for wire bar and tube forming on the spot in workshop practice. It is more advantageous than an ordinary slide rule inasmuch as that all calculations can be made by this rule.

Up to now, the only available rule was the

Universal Slide Rule "DRAHT" ARISTO 90 103

System: Kohlhase-Heuel

having dimensions of 320×165 mm and was used specifically in factory offices, but is now no longer available. However, by the middle of 1965, the completely newly developed

Universal Slide Rule "DRAHT" IWA 09 102

System: Kohlhase-Heuel

with dimensions of only 285×76 mm will be available. This one will have many advantages over the ARISTO 90 103 and will actually be cheaper.

Taking into account the precision finish, both rules include all scales, curves and figure tables. By using the instruction book, theoretical and practical knowledge will be surprisingly simple to attain.

Hopfen am See 1978

Your Wire Friend,
Hermann F. Heuel

INTRODUCTION

There are many types of slide rule for the Wire Industry (Bibliographic 1—4). They were inefficient for determining the necessary factors for drawing operations on Iron, Steel and metal wire, Bar and Tube forming so that these slide rules and calculating aids were never fully developed.

Furthermore, for determining and investigating unique factors, one had to refer to the trade literature through the many and often very detailed manuals with graphs, tables, nomograms, diagrams, guides and so forth published by the authors in Bibliographic 5—14. Using these manuals as aids for the purpose of Wire, Bar and Tube forming is often very complicated and time wasting.

Based on these disadvantages the

(a) Universal Slide Rule "WIRE" IWA 09 102

System: Kohlhase-Heuel

and the

(b) Universal Pocket Slide Rule "WIRE" ARISTO 40 128

System: Kohlhase-Heuel

were developed especially to make the technicians' task easier. Both slide rules are used as normal slide rules containing the two units of measurement (metric and inch) for determining and calculating all necessary factors for Wire, Bar and Tube forming. Furthermore, all mathematical problems (apart from trigonometry) multiplication, division, squares, square roots and logarithms can be calculated as with any other slide rule. It is taken for granted that calculations using scales K, A, B, CI, C, D and L are known. If this is not the case, using a slide rule can easily be learnt with a handbook which is obtainable from any slide rule dealer.

It has not been deemed necessary to give clear explanations and mathematical proof on the slide rules (a) and (b) as enough has been given in the trade literature over the past few years. By completing and publishing this instruction book for slide rules (a) and (b) I have satisfied the following world-wide wishes and challenges:

- Only one instruction book for the complete process of Wire, Bar and Tube forming.
- Universally adaptable to the Wire, Bar and Tube forming trade.
- Uncomplicated spacing of scales graphs and figures.
- Robust and extremely precise construction.
- Very clear calculating and result readings.
- Extraordinarily simple to use without having knowledge of mathematics.
- Easily carried in the pocket.
- Factors for wire, bar and tube forming determined practically on the spot on the shop floor.
- Usable as an ordinary slide rule.
- Usable for both units of measurement (metric and inch) without further calculations.
- Slide rules (a) and (b) are protected against damage and dirt by a leather sachet.

- By using slide rules (a) and (b) in wire, bar and tube forming, the technicians' task has been much simplified.

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Description

The symbols and spacing of Scales, Graphs, and Tables for both slide rules (a) and (b) are as follows:

(a) Scales on the Front Side

Cube Scale	K (x^3)	} On upper edge of stock.
Drawing Speed Scale	E (m/s) (ft./min.)	
Square Scale	A (x^2)	} On upper edge of slide
Square Scale	B (x^2)	
Total area reduction Scale	G (A in %) (R per cent)	} On the stock under the plexiglass slide.
Area reduction per single draft scale	H (a in %) (r per cent)	
Drafts table	H (z) (n)	
Reciprocal Scale	CI ($\frac{1}{x}$)	} On bottom edge of slide.
Basic Scale	C (x)	
Basic Scale	D (x_2)	} On bottom edge of stock
Log scale	L (lg)	

(b) Scales and Tables on the Reverse Side

Tensile table	F ($\sigma_B = kp/mm^2$)	} On the reverse side.
Total area reduction scale	G (A in %) (R per cent)	} In the centre on the reverse side.
Tensile Strength Table	F₁ ($\sigma_L = lb./sq. in. \times 10^3$)	} On the reverse side

(c) The Slide

The most important part of Slide Rules (a) and (b) is the slide. By using this in conjunction with scales, graphs and tables, the first possibilities ever are created for determining and calculating all factors connected with wire, bar and tube forming.

The slide can be moved either to the left or to the right. On the right hand side a line connects **B 100** with **CI 1** and on the left, a line connects **B 1** to **CI 10**. These hairlines guarantee an extremely precise reading on graph table **H** (which contains graphs for the number of drafts $z = n = 1$ to **30**) at the intersecting points with the horizontal constant area reduction lines $a = r = 10$ to **40 %**.

The graph table is to determine the number of drafts and is numbered **1** to **30** at the bottom. The horizontal area reduction lines are numbered **10** to **40 %** at the right hand side.

Intermediate values at the graph intersecting points including **tenths of one per cent**, will have to be estimated.

(d) The Cursor

The cursor for slide rules (a) and (b) acts as a double cursor for the front and reverse sides. Included on the front side are:

- (a) the long line **I** in the centre of the cursor,
- (b) the short line **II** on the upper left,
- (c) the short line **III** on the lower right,
- (d) the short line **PS** on the upper right,
- (e) the short line **HP** on the right under PS,
- (f) the symbol **KW** on the upper cursor edge and
- (g) the long line **IV** in the centre of the reverse side of the cursor which coincides with cursor

line **I** on the front side and connects **B 100 to CI 1** on the right of the slide and **B 1 to CI 10** on the left.

(e) The Fixed Powers

For ease of operation, the following fixed powers have been marked on the unit scales:

In scale A; B; CI; C and D π	=	3,142
In scale C c	=	1,128
In scale C c_1	=	3,570
In scale C c	=	11,280
In scale C F	=	1,273
In scale C F_1	=	4,020
In scale C F_{yd}	=	1,117
In scale C F_{yd_1}	=	3,531
In scale C F_{ft}	=	1,934
In scale C F_{ft_1}	=	6,116
In scale C Z	=	0,03937

The fixed powers **F; F_1 ; F_{yd} ; F_{yd_1} ; F_{ft} ; F_{ft_1}** are used for Wire, Bar and Tube forming with iron and steel having a weight of **7,85 kp/dm²**.

These symbols may be used for a further twelve metals by using Table 1.

Material	Weight kp/dm ³	Fixed Powers					
		F	F ₁	F _{yd}	F _{yd1}	F _{ft}	F _{ft1}
Aluminium	2,70	6,867	2,171	1,904	6,020	1,043	3,298
Lead	11,34	1,060	3,351	0,929	2,938	1,609	3,089
Chromium	7,19	1,330	4,208	1,165	3,690	2,021	6,390
Chrome - Nickel							
Steel 18/8	7,80	1,278	4,044	1,112	3,543	1,940	6,137
Chromium Steel 13% Cr.	7,70	1,285	4,070	1,127	3,565	1,953	6,173
Copper	8,96	1,192	3,770	1,045	3,305	1,810	5,725
Brass Ms 63	8,53	1,222	3,863	1,071	3,388	1,845	5,868
Brass Ms 80	8,67	1,212	3,832	1,063	3,360	1,840	5,820
Brass Ms 90	8,73	1,208	3,819	1,059	3,349	1,834	5,800
Monel Metal	8,85	1,199	3,793	1,052	3,326	1,821	5,760
Nickel	8,90	1,196	3,782	1,048	3,315	1,816	5,744
Phosphor Bronze	8,82	1,202	3,799	1,053	3,333	1,824	5,770

Adapting these fixed powers for determining and calculating factors in Wire, Bar and Tube forming for use with the materials mentioned in Table 1 will be explained in later examples.

Further symbols have been added at the ends of the scales for ease of operation viz:

1. **lz: lo** = Elongation from starting to finishing length on scale **B left**.
2. **t** = Running time in m/min for a weight or length on scale **B right**.
3. **do** = Starting or exit diameter on scale **C left**.
4. **dh** = Starting patenting diameter on scale **C left**.
5. **dz** = Final or finishing diameter on scale **D left**.
6. **d1 — dz** = Total draft diameter on scale **C right**.

(f) The most important symbols for Wire and Bar Forming

To differentiate and avoid confusion when setting and reading off, the following symbols for wire and bar forming have been added and should be studied carefully in the following examples.

These symbols come under the headings **0,0 to 0,7** and are as follows:

0,0

(a) **d = mm or d = inches**

are for all round wire and bar diameters and read on scales **C and D**.

(b) **do = mm or do = inches**

are for all round exit or starting diameter for wire and bar and read only on scale **C**.

(c) $d_h = \text{mm}$ or $d_h = \text{inches}$

are for round starting diameters for patented steel wire and read only on scale C.

(d) See section "Tube forming" for appropriate symbols for tube diameters.

0,1

$dz = \text{mm}$ or $dn = \text{inches}$

are for all round final, intermediate and finishing diameters and read only on scale D.

0,2

(a) $F = \text{mm}^2$ or $F = \text{sq. in.}$

are for all round and profile wire or bar cross sectional areas and read on scales A and B.

(b) $F_o = \text{mm}^2$ or $F_o = \text{sq. in.}$

are for all round and profile exit or starting cross sectional areas and read only on scale A.

0,3

$F_z = \text{mm}^2$ or $F_n = \text{sq. in.}$

are for all round and profile final, intermediate or finishing cross sectional areas and read only on scale B.

0,4

$d_1; d_2; d_3 \dots dz = \text{mm}$ or $d_1; d_2; d_3 \dots dn = \text{in.}$

are for all round wire and bar intermediate draft diameters and read only on scale C.

0,5

$F_1; F_2; F_3 \dots F_z = \text{mm}^2$ or $F_1; F_2; F_3 \dots F_n = \text{sq. in.}$

are for all round and profile wire or bar intermediate cross sectional areas and read only on scale B.

0,6

All symbols mentioned under 0,0 to 0,5 are diameters and cross sectional areas for determining the factors in two units of measurement (metric and inches).

PRACTICAL EXAMPLES AND SOLUTIONS

0,7 Determine the cross sectional area $F = \text{mm}^2$ or $F = \text{sq. in.}$ for a round diameter $d = 70,0; 7,00; 0,70$ and $0,07 \text{ mm}$ or $d = 2.756; 0.2756; 0.0276$ and 0.00276 inches :

Solution 1 (Metric System)

Slide $c = 1,128$ on scale C opposite $d = 7$ ($d = \text{mm}$) on scale D. Opposite B 1 on scale A we read the following:

For $d = 70,00 \text{ mm}$	$F = 3848$	mm^2 cross sectional area
for $d = 7,00 \text{ mm}$	$F = 38,48$	mm^2 cross sectional area
for $d = 0,70 \text{ mm}$	$F = 0,3848$	mm^2 cross sectional area
for $d = 0,070 \text{ mm}$	$F = 0,003848$	mm^2 cross sectional area

Solution 2 (English System)

Slide $c = 1.128$ on scale **C** opposite $d = 2756$ ($d = \text{inches}$) on scale **D**. Opposite **B 1** on scale **A** we read the following:

For $d = 2.756$ inches	$F = 5.97$ sq. in. Cross sectional area
for $d = 0.2756$ inches	$F = 0.0597$ sq. in. Cross sectional area
for $d = 0.02756$ inches	$F = 0.000597$ sq. in. Cross sectional area
for $d = 0.00276$ inches	$F = 0.000006$ sq. in. Cross sectional area

Note when using slide rules (a) and (b)

As shown in example 0,7 the position of the decimal point is just as important as an accurate reading when determining a value.

0,8
0,9

{ Determine the weight $G_M = \text{kp/m}$; $W_y = \text{lb./yd.}$; $W_f = \text{lb./ft.}$ and with the same setting the length $L = \text{m/kp}$; $l = \text{yd./lb.}$ and $l = \text{ft./lb.}$ for the diameters given in example 0,7.

Solution 1 (Metric System)

For the diameters given in example 0,7 slide the fixed symbol for the metric system $F_1 = 4.020$ on scale **C** opposite 7 (diameter in mm) on scale **D**. (Iron and steel material weight = $7,85 \text{ kp/dm}^3$... for all other metals refer to table 1 for the F — values) Opposite **B₁** on scale **A** read the weights and opposite **A 100** on scale **B** read the lengths which are as follows:

For $d = 70,00$ mm	$G_M = 30,3$ kp/m
for $d = 7,00$ mm	$G_M = 0,303$ kp/m
for $d = 0,70$ mm	$G_M = 0,00303$ kp/m
for $d = 0,07$ mm	$G_M = 0,00003$ kp/m
For $d = 70,00$ mm	$L = 0,0331$ m/kp
for $d = 7,00$ mm	$L = 3,31$ m/kp
for $d = 0,70$ mm	$L = 331,0$ m/kp
for $d = 0,07$ mm	$L = 33100$ m/kp

See note under example 0,7.

Solution 2 (English System)

For the round diameters given in example 0,7 slide the fixed symbol $F_{yd} = 1.117$ opposite 2756 on scale **D** when lb./yd. and yd./lb. are to be determined. When lb./ft. and ft./lb. are to be determined, slide $F_{ft} = 1.934$ opposite 2756 on scale **D**. (For all other metals refer to the F values in table 1. — Iron and steel weight is $13231.6 \text{ lb./cu. yd.}$ or $490.1 \text{ lb./cu. ft.}$) Opposite **B 1** on scale **A** read the weights and opposite **A 100** on scale **B** read the lengths which are as follows:

For d = 2.756 inches	$W_y =$	60.90	lb./yd.
for d = 0.276 inches	$W_y =$	0.609	lb./yd.
for d = 0.0276 inches	$W_y =$	0.00609	lb./yd.
for d = 0.00276 inches	$W_y =$	0.000061	lb./yd.

For d = 2.756 inches	l =	0.1064	yd./lb.
for d = 0.276 inches	l =	1.64	yd./lb.
for d = 0.0276 inches	l =	164.20	yd./lb.
for d = 0.00276 inches	l =	16420.00	yd./lb.

For d = 2.756 inches	$W_F =$	20.3	lb./ft.
for d = 0.276 inches	$W_F =$	0.203	lb./ft.
for d = 0.0276 inches	$W_F =$	0.00203	lb./ft.
for d = 0.00276 inches	$W_F =$	0.000020	lb./ft.

For d = 2.756 inches	l =	0.0493	ft./lb.
for d = 0.276 inches	l =	4.93	ft./lb.
for d = 0.0276 inches	l =	492.63	ft./lb.
for d = 0.00276 inches	l =	49263	ft./lb.

See note under example 0,7.

Careful! When determining the weights and lengths of other metals, place the values for these metals (see table 1) opposite $d = \text{mm}$ or $d = \text{inches}$ on scale D.

- 1,0 Determine the circumference $U = \text{mm}$ or $U = \text{inches}$ for the diameters given in example 0,7.

Solution

Slide C 10 or C 1 opposite 7 ($d = \text{mm}$) on scale D or opposite 2.756 ($d = \text{inches}$) on scale D. Opposite $\pi = 3.14$ on scale C read the following on scale D:

For d = 70,00 mm	U =	219,90	mm
for d = 7,00 mm	U =	21,99	mm
for d = 0,70 mm	U =	2,20	mm
for d = 0,07 mm	U =	0,22	mm

For d = 2.756 inches	U =	8.66	inches
for d = 0.276 inches	U =	0.866	inches
for d = 0.0276 inches	U =	0.0866	inches
for d = 0.00276 inches	U =	0.00866	inches

Note: Example 1,0 is valid for any material of any diameter.

- 1,1 Determine the surface area $O = \text{m}^2/\text{kp}$ or $O = \text{sq. in./lb.}$ for the diameters given in example 0,7.

Solution 1 (Metric System)

- (a) At the same setting as in example 1,0 place the circumference $U = \text{mm}$ opposite the in example 0,8 and 0,9 determined weight $G_M = 30,3 \text{ kp/m.}$

Opposite C 10, read the surface areas on scale D as follows:

For $d = 70,00 \text{ mm}$ $O = 0,0073 \text{ m}^2/\text{kp}$

for $d = 7,00 \text{ mm}$ $O = 0,0728 \text{ m}^2/\text{kp}$

for $d = 0,70 \text{ mm}$ $O = 0,728 \text{ m}^2/\text{kp}$

for $d = 0,07 \text{ mm}$ $O = 7,28 \text{ m}^2/\text{kp}$

Solution 2 (English System)

- (b) Place C 36 (36 inches = 1 yard) on scale C opposite $\pi = 3.14$ on scale D. At this setting move cursor line I over C 2756 (d = inches) on scale C. Place the in example 0,8 and 0,9 determined weight $W_y = 60,9 \text{ lb./yd.}$ under cursor line I. Opposite C 10 read the following:

For $d = 2.756 \text{ inches}$ $O = 0.00395 \text{ sq. yd./lb.}$

for $d = 0.276 \text{ inches}$ $O = 0.0395 \text{ sq. yd./lb.}$

for $d = 0.0276 \text{ inches}$ $O = 0.395 \text{ sq. yd./lb.}$

for $d = 0.00276 \text{ inches}$ $O = 3.949 \text{ sq. yd./lb.}$

Solution 3 (English System)

- (c) Place C 12 (12 inches = 1 ft.) on scale C opposite $\pi = 3.14$ on scale D. At this setting move cursor line I over C 2756 (d = inches) on scale C. Place the in example 0,8 and 0,9 determined weight $W_F = 20.3 \text{ lb./ft.}$ under cursor line I. Opposite C 10 read the following:

For $d = 2.756 \text{ inches}$ $O = 0.0355 \text{ sq. ft./lb.}$

for $d = 0.276 \text{ inches}$ $O = 0.355 \text{ sq. ft./lb.}$

for $d = 0.0276 \text{ inches}$ $O = 3.555 \text{ sq. ft./lb.}$

for $d = 0.00276 \text{ inches}$ $O = 35.55 \text{ sq. ft./lb.}$

- 1,2 For a cross sectional area $F = 3848 \text{ mm}^2$ or $F = 5.965 \text{ sq. in.}$ determine:
(a) The weight $G_M = \text{kp/m}$ or $W_y = \text{lb./yd.}$ and $W_y = \text{lb./ft.}$
(b) The length $L = \text{m/kp}$ or $l = \text{yd./lb.}$ and $l = \text{ft./lb.}$

Solution 1 (Metric System)

Move cursor line I over the cross sectional area $F = 3848 \text{ mm}^2$ on scale A.

NOW CAREFULLY EXECUTE THE FOLLOWING SETTING.

Place the fixed symbol $F_1 = 4.020$ on scale C (for iron and steel) under the bottom right hand cursor line III.

Read off as follows:

(a) Opposite B 1 on scale A the weight $G_M = 30,30 \text{ kp/m}$

(b) Opposite A 100 on scale B the length $L = 0,033 \text{ m/kp.}$

Solution 2 (English System)

Move cursor line I over the cross sectional area $F = 5.965$ sq. in. on scale A.

NOW CAREFULLY EXECUTE THE FOLLOWING SETTING.

Place the fixed symbol $Fy_d = 3.531$ on scale C (for iron and steel) under the bottom right hand cursor line III.

Read off as follows:

- (a) Opposite B 1 on scale A the weight $W_y = 60.90$ lb./yd.
- (b) Opposite A 100 on scale B the length $l = 0.0164$ yd./lb.

Solution 3 (English System)

With the same setting as before place the fixed symbol $Fft = 6.116$ (iron and steel) under the bottom right hand cursor line III.

Read off as follows:

- (a) Opposite B 1 on scale A the weight $W_F = 20.30$ lb./ft.
- (b) Opposite A 100 on scale B the length $l = 0.0493$ ft./lb.

Notes

When determining and calculating larger and especially smaller values with the

(a) Universal Slide Rule "WIRE" IWA 09 102

(b) Universal Pocket Slide Rule "WIRE" ARISTO 80 122

for wire bar and tube forming, variations may arise through;

1. Inaccurate estimation.
2. Inaccurate placing of decimal point.
3. Not adhering to setting instructions.

The STANDARDWERK für die Fertigung, Kalkulation und Prüfung von Eisen, Stahl und Metalldraht, 1. Auflage 1959, von Fritz Kohlhasse, Umfang 377 Seiten, DIN A 5, is recommended for checking purposes.

For practically all diameters $d = \text{mm}$ or $d = \text{inches}$ and also for all cross sectional areas, the following values:

1. Diameter in mm or inches.
2. Circumference in mm or inches.
3. Cross sectional area in mm^2 or sq. inches.
4. Weights $G_M = \text{kp/m}$; $W_y = \text{lb./yd.}$ and $W_F = \text{lb./ft.}$
5. Lengths $L = \text{m/kp}$; $l = \text{yd./lb.}$ and $l = \text{ft./lb.}$
6. Surface area $O = \text{m}^2/\text{kp}$; $O = \text{sq. yd./lb.}$ and $O = \text{sq. ft./lb.}$
7. Tensile strengths $\sigma_B = \text{kp/mm}^2$, $\sigma_L = \text{lb./sq. in.}$ and $\sigma_L = \text{tons/sq. in.}$
8. Breaking strains $P = \text{kp}$ and $P = \text{lb.}$

with diameters of:

(a) from 25,00 mm to 0,010 mm or from 0.98425 in. to 0.000394 inches.

or with cross sectional areas of:

(b) from 490,873438 mm² to 0,000078 mm² or from 0.760854 sq. in. to 0.0000012 sq. inches.

can be obtained.

By moving the decimal point it is possible to obtain all necessary values under a ten times smaller diameter in mm or inches, for a ten times larger diameter, or vice versa.

This also applies to cross sectional areas in mm² or square in.

Furthermore gauges from 0000000 (7/0) to 50 gauge for determining the values under 1 to 8 with all diameters $d = \text{mm}$ and $d = \text{inches}$ of the following are included:

1. Brown & Sharpe Wire Gauge
2. American Steel Wire Gauge — Washbourn & Moen Wire Gauge
3. Birmingham Wire Gauge
4. Imperial Standard Wire Gauge
5. Jauge de Paris 1857

Especially important are technical translations in:

- (a) German
- (b) English
- (c) French
- (d) Spanish

The contents of which have advanced the industry by many years.

Apart from materials in iron and steel having a weight of 7,85 kp/dm³, the contents have been extended to include the diameters (a) and (b) of the most important metals with all factors from 1 to 8.

1. Chrome-Nickel steel 18/8	Weight = 7,80 kp/dm ³
2. Chromium steel 13 % Chromium	" = 7,70 kp/dm ³
3. Nickel	" = 8,90 kp/dm ³
4. Copper	" = 8,96 kp/dm ³
5. Bronze MS 80	" = 8,67 kp/dm ³
6. Phospor-Bronze	" = 8,92 kp/dm ³
7. Aluminium	" = 2,70 kp/dm ³

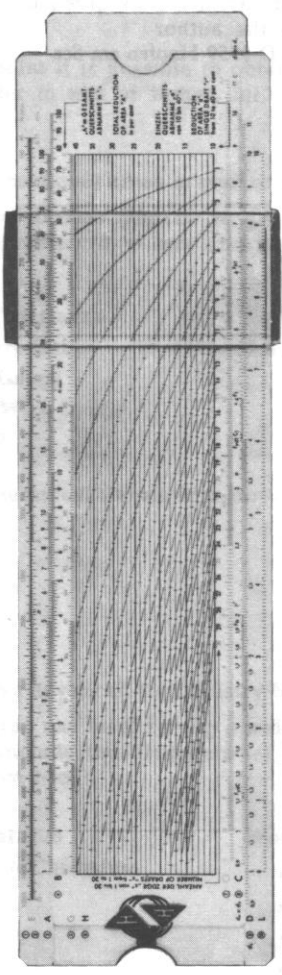
The values for each material given under 1 to 8 can also be obtained in both units of measurement (metric and English) for the diameter under (a) and (b) including those in 1 to 5 ($d = \text{mm}$ and $d = \text{inches}$).

When importing or exporting wire, bar and tube products, it is often necessary to convert from one unit of measurement to the other.

For both units of measurement, all diameters and cross sectional areas can immediately be obtained.

On these grounds the STANDARDWERK is an indispensable aid for finishing, calculating and testing wire and bar in metals given under 1 to 7 and including iron and steel. Obtainable from the author

Hermann F. Heuel, Höhenstraße 63, D-8959 Hopfen am See



- 7.00
- 7.16
- 7.32
- 7.48
- 7.64
- 7.80
- 7.96
- 8.12
- 8.28
- 8.44
- 8.60

THE BASIC POINTS

1. The diameter d_0 of the wire before forming is given by the following formula:

$$d_0 = d \sqrt{\frac{1}{1 - \frac{A}{100}}}$$

$$d_0 = d \sqrt{\frac{1}{1 - \frac{A}{100}}}$$

$$d_0 = d \sqrt{\frac{1}{1 - \frac{A}{100}}}$$

$$d_0 = d \sqrt{\frac{1}{1 - \frac{A}{100}}}$$

and also by giving each fractional part of the percentage reduction $A = \frac{1}{2}$ or $2 =$ per cent.

The total cross-sectional area A of the wire is given by the following formula, taking into account the forming limits and can be selected in accordance with the following table:

Note especially that the basic setting for all measurements of the wire diameter following can be obtained:

INSTRUCTIONS

for

determining the necessary factors for COLD FORMING

and finishing Iron, Steel, and metal

wire with Slide Rules (a) and (b)

$$d_0 = d \sqrt{\frac{1}{1 - \frac{A}{100}}}$$

$$d_0 = d \sqrt{\frac{1}{1 - \frac{A}{100}}}$$

$$d_0 = d \sqrt{\frac{1}{1 - \frac{A}{100}}}$$

$$d_0 = d \sqrt{\frac{1}{1 - \frac{A}{100}}}$$

2. The

3. The

4. The

5. The

6. The

7. The

8. The

9. The

10. The

INSTRUCTIONS

1. Determine the necessary factors for (1) the
and (2) the (3) and (4) and (5)
who will (6) (7) (8) (9) (10)

THE BASIC SETTING

Every successful cold forming operation on any kind of material is dependant on:

1. Exit diameter $d_o = \text{mm}$ or $d_o = \text{inches}$ on scale C.
2. Exit cross sectional area $F_o = \text{mm}^2$ or $F_o = \text{sq. in.}$ on scale B.
3. Final or finishing diameter $d_z = \text{inches}$ on scale D.
4. Final or finishing cross sectional area $F_z = \text{mm}^2$ or $F_n = \text{sq. in.}$ on scale A.

and also by giving each material its most advantageous total cross sectional area reduction $A = \%$ or $R = \text{per cent.}$

The total cross sectional area reduction $A = \%$ or $R = \text{per cent}$ must not reach the forming limits and can be selected on scale G from $A = R = 0$ to 99% .

Note especially that the basic setting for all materials is identical and that the following can be obtained:

- (a) B 100 to CI 1 on upper right $A = R = \%$ on G
- (b) B 1 to CI 10 on upper left $A = R = \%$ on G
- (c) $d_o = \text{mm}$ on scale C opposite $d_z = \text{mm}$ on scale D
- (d) $d_o = \text{in.}$ on scale C opposite $d_n = \text{in.}$ on scale D
- (e) $d_h = \text{mm}$ on scale C opposite $d_z = \text{mm}$ on scale C
- (f) $d_h = \text{in.}$ on scale C opposite $d_n = \text{in.}$ on scale D
- (g) $F_o = \text{mm}^2$ on scale B opposite $F_z = \text{mm}^2$ on scale A
- (h) $F_o = \text{sq. in.}$ on scale B opposite $F_n = \text{sq. in.}$ on scale A
- (i) B 100 to CI 1 on upper right $a = r = \%$ on H
- (j) B 1 to CI 10 on upper left $a = r = \%$ on H

All values from (a) to (p) in example 1.3 can be obtained with only one setting.

Example 1,3

With basic setting, determine all values for cold forming:

- (a) Iron wire
- (b) Copper wire
- (c) Aluminium wire

The total cross sectional area reduction to be $A = R = 86,7 \%$ the drawing speed $V = 12 \text{ m/s}$ or $V = 2363 \text{ ft./min.}$ for all three materials.

(The choice of materials, the drawing speed and the total cross sectional area reduction have been taken as examples.)

Solution:

Set the right hand connecting line B 100 to CI 1 or the left hand connecting line B 1 to CI 10 on the slide over the total cross sectional area reduction

$$A = R = 86,7 \% \text{ scale G.}$$

Under the connecting line **B 100 to CI 1** on the slide extended to the left, or under the connecting line **B 1 to CI 10** on the slide extended to the right, the following can be read at this setting:

- *(a) On scale **G**, total area reduction **A** = **86,7 %**
- ** (b) " " **G**, total area reduction **R** = **86,7 per cent**
- *(c) " " **C**, Exit or starting diameter **do** = **5,50 mm**
- ** (d) " " **C**, Exit or starting diameter **dn** = **0.2165 in.**
- *(e) " " **D**, Final or finishing diameter **dz** = **2,00 mm**
- ** (f) " " **D**, Final or finishing diameter **dn** = **0.0787 in.**
- (g) Table **H**, at the intersecting points of **a = r = %** (horizontal lines) with **z = n = total number of drafts** (curved lines) read off as follows when forming materials (a), (b) and (c):

with	a = r = 39,7 % (per cent) ,	z = n = 4	drafts
"	a = r = 33,2 %	" " z = n = 5	"
"	a = r = 28,6 %	" " z = n = 6	"
"	a = r = 25,1 %	" " z = n = 7	"
"	a = r = 22,4 %	" " z = n = 8	"
"	a = r = 20,2 %	" " z = n = 9	"
"	a = r = 18,3 %	" " z = n = 10	"
"	a = r = 16,9 %	" " z = n = 11	"
"	a = r = 15,5 %	" " z = n = 12	"
"	a = r = 14,4 %	" " z = n = 13	"
"	a = r = 13,5 %	" " z = n = 14	"
"	a = r = 12,7 %	" " z = n = 15	"
"	a = r = 11,9 %	" " z = n = 16	"
"	a = r = 11,1 %	" " z = n = 17	"
"	a = r = 10,7 %	" " z = n = 18	"
"	a = r = 10,1 %	" " z = n = 19	"

The choice of **a = r = %** and **z = n = drafts** depends on the material and the diameter **dz = dn = mm or inches**.

- *(h) Opposite **A 1** on **B**, total elongation factor **E** = **7.52**
- ** (i) " **A 100** on **B**, total elongation factor **E** = **7.52**
- *(j) " **B 100** on **A**, total cross sectional area remaining **Qv** = **13,3 %**
- *(k) " **B 1** on **A**, total cross sectional area remaining **Qv** = **13,3 per cent**
- (l) " **A = R = 86,7 %** on **A**, total elongation **E - 1 × 100 = 7.52 - 1 × 100 = 652 % (per cent)**

- * (m) " D 1 on C diameter ratio $do/dz = 2.741$
- ** (n) " D 10 on C diameter ratio $do/dn = 2.741$
- * (o) " C 10 on D diameter ratio $dz/do = 0.3643$
- ** (p) " C 1 on D diameter ratio $dn/do = 0.3643$

* Slide withdrawn to left.

** Slide withdrawn to right.

For determining the cold forming of the wire in (a), (b) and (c) mentioned materials, a unit area reduction of **25,1 %** with $z = n = 7$ drafts has been chosen.

Very Important Note:

The Universal basic setting for the total cross sectional area reduction $A = R = 86,7 \%$ is also valid for cold forming (drawing) from:

1. $do = 0,55 \text{ mm}$ to $dz = 0,20 \text{ mm}$ or
 $do = 0.02165 \text{ in.}$ to $dn = 0.00787 \text{ in.}$
2. $do = 0,055 \text{ mm}$ to $dz = 0,020 \text{ mm}$ or
 $do = 0.002165 \text{ in.}$ to $dz = 0.000787 \text{ in.}$

and further for bar forming from:

3. $do = 55,00 \text{ mm}$ to $dz = 20,00 \text{ mm}$ or
 $do = 2.165 \text{ in.}$ to $dn = 0.7874 \text{ in.}$

and is furthermore valid for all values and fractional values when $do = \text{mm}$ or $do = \text{inches}$ on scale C opposite values and fractional values $dz = \text{mm}$ or $dn = \text{inches}$ on scale D when the total cross sectional area reduction $A = R = 86,7 \%$. With any other cross sectional area reduction $A = R = \%$ the diameters will, of course, change. Item 3 is used solely as a setting example.

EXAMPLE 1,4

Determine for example 1,3 the draft diameters $d_1; d_2; d_3-d_7 = dz = \text{mm}$ or $d_1; d_2; d_3-d_7 = dn = \text{inches}$ for a unit area reduction of $a = 25,1 \%$ and $z = r = 7$ drafts.

Solution:

Place the exit or starting diameter $do = 5,5 \text{ mm}$ or 0.2165 inches opposite D 10. At this setting slide cursor line I across the intersecting points $z_1; z_2; z_3-z_7$ or $n_1; n_2; n_3-n_7$ with $a = r = 25,1 \%$ on table H.

Under cursor line I read the draft diameters on scale C, which are the bearing diameters for $d_1; d_2; d_3-d_7 = dz$ or $dn = \text{mm}$ or inches . Further, with the same setting, read the increasing total cross sectional area reduction $A = R = \%$ under cursor line I on scale G as follows:

1. Metric System:

At $z_1, d_1 = 4,75 \text{ mm}$ on C and $A = 25,1 \%$ on G

at $z_2, d_2 = 4,11 \text{ mm}$ on C and $A = 44,3 \%$ on G

at $z_3, d_3 = 3,55 \text{ mm}$ on C and $A = 58,2 \%$ on G

at $z_4, d_4 = 3,07$ mm on C and A = 68,6 % on G
 at $z_5, d_5 = 2,65$ mm on C and A = 76,5 % on G
 at $z_6, d_6 = 2,30$ mm on C and A = 82,5 % on G
 at $z_7, d_7 = 2,00$ mm on C and A = 86,7 % on G

2. English System:

At $n_1, d_1 = 0.1870$ in. on C and A = 25.1 per cent on G
 at $n_2, d_2 = 0.1618$ in. on C and A = 44.3 per cent on G
 at $n_3, d_3 = 0.1398$ in. on C and A = 58.2 per cent on G
 at $n_4, d_4 = 0.1209$ in. on C and A = 68.6 per cent on G
 at $n_5, d_5 = 0.1043$ in. on C and A = 76.5 per cent on G
 at $n_6, d_6 = 0.0906$ in. on C and A = 82.5 per cent on G
 at $n_7, d_7 = 0.0787$ in. on C and A = 86.7 per cent on G
 At *, move slide to other side.

EXAMPLE 1,5 (Special example)

Determine for example 1,3 the diminishing unit cross sectional area reductions $a = r = \%$ at the draft diameters $d_1; d_2; d_3 \dots d_z = \text{mm}$ or $d_1; d_2; d_3 \dots d_n = \text{inches}$. Starting diameter is $d_0 = 5,5$ mm or $d_0 = 0.2165$ inches. In example 1,3 a unit cross sectional area reduction of $a = r = 25,1\%$ for $z = n = 7$ drafts was found.

Solution:

Add to the in example 1,3 determined unit cross sectional area reduction $a = r = 25,1\%$ per draft as follows:

At d_0 to $d_1 = \text{mm}$ or inches, to $a = r = 25,1 + 6,0 = 31,1\%$
 at d_1 to $d_2 = \text{mm}$ or inches, to $a = r = 25,1 + 5,0 = 30,1\%$
 at d_2 to $d_3 = \text{mm}$ or inches, to $a = r = 25,1 + 4,0 = 29,1\%$
 at d_3 to $d_4 = \text{mm}$ or inches, to $a = r = 25,1 + 3,0 = 28,1\%$
 at d_4 to $d_5 = \text{mm}$ or inches, to $a = r = 25,1 + 2,0 = 27,1\%$
 at d_5 to $d_6 = \text{mm}$ or inches, to $a = r = 25,1 + 1,0 = 26,1\%$
 at d_6 to $d_z = \text{mm}$ or inches, to $a = r = 25,1 + 0,0 = 25,1\%$

Place the starting or exit diameter $d_0 = 5,5$ mm or $d_0 = 0.2165$ inches opposite D 10. Move the cursor line I over the intersecting points $z_1; z_2; z_3 \dots z_7$ ($z = n$) with the above determined unit cross sectional area reduction in table H. Under cursor line I on scale C read off the draft diameters as follow:

$d_0 = 5,50$ mm to $d_1 = 4,55$ mm; $d_0 = 0.2165$ in. to $d_1 = 0.1791$ in.
 $d_1 = 4,55$ mm to $d_2 = 3,82$ mm; $d_1 = 0.1791$ in. to $d_2 = 0.1504$ in.

$d_2 = 3,82 \text{ mm}$ to $d_3 = 3,28 \text{ mm}$; $d_2 = 0.1504 \text{ in.}$ to $d_3 = 0.1291 \text{ in.}$
 $d_3 = 3,28 \text{ mm}$ to $d_4 = 2,84 \text{ mm}$; $d_3 = 0.1291 \text{ in.}$ to $d_4 = 0.1118 \text{ in.}$
 $d_4 = 2,84 \text{ mm}$ to $d_5 = 2,49 \text{ mm}$; $d_4 = 0.1118 \text{ in.}$ to $d_5 = 0.0980 \text{ in.}$
 $d_5 = 2,49 \text{ mm}$ to $d_6 = 2,22 \text{ mm}$; $d_5 = 0.0980 \text{ in.}$ to $d_6 = 0.0874 \text{ in.}$
 $d_6 = 2,22 \text{ mm}$ to $d_z = 2,00 \text{ mm}$; $d_6 = 0.0874 \text{ in.}$ to $d_n = 0.0787 \text{ in.}$

At * move slide to other side.

The factors **1,0 to 6,0 %** can be selected higher for sharply diminishing unit cross sectional area reductions and lower for more gradual diminishing ones. However, the determined unit cross sectional area reduction $a = r = \%$ at the final draft $d_z = \text{mm}$ or $d_n = \text{inches}$, remains the same.

EXAMPLE 1,6

Determine for example 1.3 (metric system) the running time $t = \text{min}/100 \text{ kp}$ or $t = \text{min}/100 \text{ lb.}$ (English System) at a drawing speed of $V = 12 \text{ m/s}$ or $V = 2362 \text{ ft./min.}$

Solution 1 (Metric system)

Place one of the fixed symbols for iron and steel $F = 1.273$ or $F_1 = 4.020$ (on scale C) opposite $d_z = 2.00 \text{ mm}$ on scale D. At this setting place cursor line I over the drawing speed $V = 12 \text{ m/s}$ on scale E. Under cursor line I read the running time on scale B as follows:

(a) $T = 5.60 \text{ min./100 kp}$ at $V = 12 \text{ m/s}$

Place the determined running time $t = 5.60 \text{ min}/100 \text{ kp}$ on scale B opposite 60 on scale A. Opposite B 1 on scale A read off:

(b) $m = 1070 \text{ kp/h}$

At the same setting read opposite A 100:

(c) $tm = 0,935 \text{ h}/100 \text{ kp}$

Solution 2 (English System)

Place one of the fixed symbols for iron and steel $F_{ft} = 1.934$ or $F_{ft_1} = 6.116$ (on scale C) opposite $d_n = 0.0787 \text{ inches}$ on scale D. At this setting place cursor line I over the drawing speed $V = 2362 \text{ ft./min.}$ on scale E. Under cursor line I read the running time on scale B as follows:

(d) $t = 2.55 \text{ min.}/100 \text{ lb.}$ at $V = 2362 \text{ ft./min.}$

Place the determined running time $t = 2.55 \text{ min.}/100 \text{ lb.}$ on scale B 1 opposite 60 on scale A. Opposite B 1 on scale A read off:

(e) $m = 2350 \text{ lb./h.}$

At the same setting read opposite A 100 on scale B:

(f) $tm = 0.425 \text{ h}/100 \text{ lb.}$

When calculating the efficiency, place the capacity of

$$(g) m = 1070 \text{ kp/h or } m = 2350 \text{ lb./h}$$

opposite **D 10**. Opposite an actual production of

$$(h) m = 963 \text{ kp/h or } m = 2120 \text{ lb./h (taken as an example)}$$

on scale **C**, read on scale **D** the percentage efficiency **Ag** as follows:

$$(i) Ag = 0,9 \times 100 = 90 \%$$

at an actual production given in **(h)** opposite the theoretical machine capacity given in **(g)**. Determining and calculating all values under **(a)** to **(i)** in example 1.6 can be achieved for Copper wire by using the fixed symbols given in table 1:

$$F = 2.171 \text{ or } F_t = 6.867 \text{ (metric system)}$$

$$Fft = 1.036 \text{ or } Fft_t = 3.298 \text{ (English system)}$$

These fixed symbols are placed on scale **C** and placed opposite **dz = 2,00 mm** on scale **D** (metric system) or opposite **dn = 0.0787 inches** on scale **D** (English system)

Further settings and readings are as explained in example 1.6.

Any selected drawing speed **V = m/s** or **V = ft./min.** can be used with any selected diameter **dz = mm** or **dn = inches** as shown in example 1.6 and all values from **(a)** to **(i)** can be quickly determined.

EXAMPLE 1,7

Determine for a finishing speed of **V = 12 m/s** or **V = 2362 ft./min.** (example 1,3) the unit draft drawing speed **v = m/s** or **v = ft./min.** for **z = n = 7** drafts.

Solution:

Place **V = 12** or **v = 2362 ft./min.** on scale **B** opposite **A 100**. Then slide cursor line **I** over the intersecting points **z₁; z₂; z₃; z₄; z₅; z₆; z₇; (z = n)** with **a = r = 25,1 %** on table **H** (see e. g. 1,3). Under cursor line **I** on scale **B** read the following:

At **z₁** with **a = 25,1 %** read **v₁ = 2,11 m/s** on **B**

„ **z₂** with **a = 25,1 %** read **v₂ = 2,83 m/s** on **B**

„ **z₃** with **a = 25,1 %** read **v₃ = 3,76 m/s** on **B**

„ **z₄** with **a = 25,1 %** read **v₄ = 5,01 m/s** on **B**

„ **z₅** with **a = 25,1 %** read **v₅ = 6,70 m/s** on **B**

„ **z₆** with **a = 25,1 %** read **v₆ = 8,90 m/s** on **B**

„ **z₇** with **a = 25,1 %** read **v₇ = 12,00 m/s** on **B**

This reading goes from right to left, from z_7 to z_1 .

- At n_1 with $r = 25,1\%$ read $v_1 = 415$ ft./min. on B
- „ n_2 with $r = 25,1\%$ read $v_2 = 552$ ft./min. on B
- „ n_3 with $r = 25,1\%$ read $v_3 = 740$ ft./min. on B
- „ n_4 with $r = 25,1\%$ read $v_4 = 990$ ft./min. on B
- „ n_5 with $r = 25,1\%$ read $v_5 = 1320$ ft./min. on B
- „ n_6 with $r = 25,1\%$ read $v_6 = 1761$ ft./min. on B
- „ n_7 with $r = 25,1\%$ read $v_7 = 2362$ ft./min. on B

This reading goes from right to left, from z_7 to z_1 .

These unit draft drawing speeds $V = \text{m/s}$ or $V = \text{ft./min.}$, are dependant on a constant unit cross sectional area reduction $a = r = \%$ when multi-hole drawing. The accumulation factor has not been taken into account. The calculation can be selected for finishing speeds $v = \text{m/s}$ and ft./min. as long as the material is formed or drawn with a constant unit cross sectional area reduction $a = r = \%$.

EXAMPLE 1,8

Determine for materials e. g. **pure titanium** or for alloy materials having higher quantities of **C; Cr; Ti; Ni; Mo; Nb; Ta; V** or **W**, that, when cold formed at a lower percentage **A = R = %** reach their forming limits, the necessary factors for determining the drawing operations, the necessary annealing stage diameters for similar reductions between the **seperate** annealing stages.

In the example, the various materials will have an exit or starting diameter of $d_o = 5,5$ mm or $d_o = 0,2165$ inches and a final diameter of $d_z = 0,90$ mm or $d_n = 0,0334$ inches so that between the starting and finishing diameters five similar annealing stages as well as the final annealing stage can be given.

At which diameters shall the annealing process occur?

Solution:

Place the exit or starting diameter $d_o = 5,5$ mm or $d_o = 0,2165$ inches on scale C opposite the final or finishing diameter $d_z = 0,90$ mm or $d_n = 0,0334$ inches on each scale D.

Under the left hand connecting line **B 1** to **CI 10** read on table **H**, on scale **G** and on the other scales as follows:

- (a) On scale **G**, total cross sectional area reduction **A = R = 97,33**.
- (b) On table **H**, at the intersecting points between $a = r = \%$ (unit cross sectional area reduction) the horizontal lines, with $z = n =$ **total number** of drafts, the curved lines, read off as follows:

a = r = 36,4 % (per cent)	with z = n = 8	drafts
a = r = 33,1 %	" "	z = n = 9
a = r = 30,4 %	" "	z = n = 10
a = r = 28,1 %	" "	z = n = 11
a = r = 26,1 %	" "	z = n = 12
a = r = 24,3 %	" "	z = n = 13
a = r = 22,9 %	" "	z = n = 14
a = r = 21,5 %	" "	z = n = 15
a = r = 20,4 %	" "	z = n = 16
a = r = 19,2 %	" "	z = n = 17
a = r = 18,3 %	" "	z = n = 18
a = r = 17,4 %	" "	z = n = 19
a = r = 16,6 %	" "	z = n = 20
a = r = 15,9 %	" "	z = n = 21
a = r = 15,2 %	" "	z = n = 22
a = r = 14,6 %	" "	z = n = 23
a = r = 14,0 %	" "	z = n = 24
a = r = 13,6 %	" "	z = n = 25
a = r = 13,0 %	" "	z = n = 26
a = r = 12,6 %	" "	z = n = 27
a = r = 12,2 %	" "	z = n = 28
a = r = 11,8 %	" "	z = n = 29
a = r = 11,4 %	" "	z = n = 30

The choice of the unit cross sectional area reduction is dependant on the material and the diameter $dz = dn = \text{mm}$ or inches. For example **1,8**, a unit cross sectional area reduction of **18,3 %** with **z = n = 18 drafts** for cold forming from an exit diameter of $do = 5,5 \text{ mm}$ or $do = 0.2165 \text{ inches}$ to a finishing diameter $dz = 0,90 \text{ mm}$ or $dn = 0.0334 \text{ inches}$, has been chosen.

- (c) Opposite **A 100 on B**, total elongation factor **E = 37,3**
- (d) " **B 100 on A**, total cross sectional area remaining **Qv = 2,67 %**
- (e) " **A = R = 97,33 % on A** total elongation (**E = 37,3 — 1 × 100**) = **E = 37,3 — 1 = 36,3 × 100 = 3630 % on B**, when **B 1 to CI 10** is over **A = 97,33 % on scale G**.
- (f) " **C 1 on D**, diameter ratio (do/dz) or (do/dn) = **16,38**

Note: This reading is valid for both units of measurement without moving the slide.

Determine the draft diameters for cold forming $d_1; d_2; d_3 - dz = \text{mm}$, or $d_1; d_2; d_3 - dn = \text{inches}$ and the annealing stage diameters at $d_3; d_6; d_9; d_{12}; d_{15} = \text{mm}$ or inches .

Place $do = 5,5 \text{ mm}$ or $do = 0.2165 \text{ inches}$ on scale C opposite D 10. At this setting move cursor line I over the intersecting points, $z_1; z_2; z_3 - z_{15}; \text{drafts}$ or $n_1; n_2; n_3 - n_{15} \text{ drafts}$ at $a = r = 18,3\%$ on table H and read on scale C as follows.

$do = 5,50 \text{ mm}$ to $d_1 = 4,96 \text{ mm}$; $do = 0.2165 \text{ in.}$ to $d_1 = 0.1953 \text{ in.}$

$d_1 = 4,96 \text{ mm}$ to $d_2 = 4,49 \text{ mm}$; $d_1 = 0.1953 \text{ in.}$ to $d_2 = 0.1768 \text{ in.}$

$d_2 = 4,49 \text{ mm}$ to $d_3 = 4,05 \text{ mm}$; $d_2 = 0.1769 \text{ in.}$ to $d_3 = 0.1594 \text{ in.}$

$d_3 = 4,05 \text{ mm}$ to $d_4 = 3,69 \text{ mm}$; $d_3 = 0.1594 \text{ in.}$ to $d_4 = 0.1453 \text{ in.}$

$d_4 = 3,69 \text{ mm}$ to $d_5 = 3,31 \text{ mm}$; $d_4 = 0.1453 \text{ in.}$ to $d_5 = 0.1303 \text{ in.}$

$d_5 = 3,31 \text{ mm}$ to $d_6 = 3,00 \text{ mm}$; $d_5 = 0.1303 \text{ in.}$ to $d_6 = 0.1181 \text{ in.}$

$d_6 = 3,00 \text{ mm}$ to $d_7 = 2,71 \text{ mm}$; $d_6 = 0.1181 \text{ in.}$ to $d_7 = 0.1067 \text{ in.}$

$d_7 = 2,71 \text{ mm}$ to $d_8 = 2,45 \text{ mm}$; $d_7 = 0.1067 \text{ in.}$ to $d_8 = 0.0965 \text{ in.}$

$d_8 = 2,45 \text{ mm}$ to $d_9 = 2,21 \text{ mm}$; $d_8 = 0.0965 \text{ in.}$ to $d_9 = 0.0870 \text{ in.}$

$d_9 = 2,21 \text{ mm}$ to $d_{10} = 2,00 \text{ mm}$; $d_9 = 0.0878 \text{ in.}$ to $d_{10} = 0.0787 \text{ in.}$

$d_{10} = 2,00 \text{ mm}$ to $d_{11} = 1,81 \text{ mm}$; $d_{10} = 0.0795 \text{ in.}$ to $d_{11} = 0.0713 \text{ in.}$

$d_{11} = 1,81 \text{ mm}$ to $d_{12} = 1,64 \text{ mm}$; $d_{11} = 0.0713 \text{ in.}$ to $d_{12} = 0.0646 \text{ in.}$

$d_{12} = 1,64 \text{ mm}$ to $d_{13} = 1,48 \text{ mm}$; $d_{12} = 0.0646 \text{ in.}$ to $d_{13} = 0.0583 \text{ in.}$

$d_{13} = 1,48 \text{ mm}$ to $d_{14} = 1,34 \text{ mm}$; $d_{13} = 0.0583 \text{ in.}$ to $d_{14} = 0.0528 \text{ in.}$

$d_{14} = 1,34 \text{ mm}$ to $d_{15} = 1,22 \text{ mm}$; $d_{14} = 0.0528 \text{ in.}$ to $d_{15} = 0.0480 \text{ in.}$

$d_{15} = 1,22 \text{ mm}$ to $d_{16} = 1,10 \text{ mm}$; $d_{15} = 0.0480 \text{ in.}$ to $d_{16} = 0.0433 \text{ in.}$

$d_{16} = 1,10 \text{ mm}$ to $d_{17} = 0,99 \text{ mm}$; $d_{16} = 0.0433 \text{ in.}$ to $d_{17} = 0.0390 \text{ in.}$

$d_{17} = 0,99 \text{ mm}$ to $dz = 0,90 \text{ mm}$; $d_{17} = 0.0390 \text{ in.}$ to $dn = 0.0354 \text{ in.}$

At + move slide to other side.

At * execute annealing treatment.

The annealing stage diameters can also be read under cursor line I on scale C at the intersecting points $z_3; z_6; z_9; z_{12}$ and $z_{15} = n \text{ drafts}$ with the unit cross sectional area reduction $a = r = 18,3\%$ when $do = 5,5 \text{ mm}$ or $do = 0.2165 \text{ inches}$ is opposite D 10, as follows:

At z_3 , $d_3 = 4,05 \text{ mm}$ or $d_3 = 0.1594 \text{ in.}$ on C

at z_6 , $d_6 = 3,00 \text{ mm}$ or $d_6 = 0.1181 \text{ in.}$ on C

at z_9 , $d_9 = 2,21 \text{ mm}$ or $d_9 = 0.0878 \text{ in.}$ on C

at z_{12} , $d_{12} = 1,64 \text{ mm}$ or $d_{12} = 0.0646 \text{ in.}$ on C

at z_{15} , $d_{15} = 1,22 \text{ mm}$ or $d_{15} = 0.0480 \text{ in.}$ on C

at z_{18} , $dz = 0,90 \text{ mm}$ or $dn = 0.0354 \text{ in.}$ on C

At * the final annealing.

As in example 1,6 all values from (a) to (i) can be obtained.

The fixed F and Fit symbols are not used in this setting and are left out of table 1. The total annealing stages are given only as an example, the calculations can be achieved for any number.

EXAMPLE 1,9 (Steel wire)

In contrast with all other materials, that on reaching their forming limits have to undergo one or more annealing treatments, carbon steel wire is heated under a continuous process depending on its carbon content, and then quenched in air or in a salt or lead bath.

Determine for lead patented steel wire with an exit diameter of $d_h = 5,00 \text{ mm}$ or $d_h = 0.1968 \text{ inches}$ for cold forming to a finishing diameter $dz = 1,775 \text{ mm}$ or $dn = 0.0699 \text{ inches}$, all necessary factors by using slide rules (a) and (b). The finished drawing speed to be $V = 7,00 \text{ m/s}$ or $V = 1379 \text{ Ft/min.}$ The tensile strength to reach $\sigma_B = 200 \text{ to } 210 \text{ kp/mm}^2$ or $\sigma_L = 292000 \text{ to } 299000 \text{ lb./sq.}$

Solution:

With the basic setting, place the patenting diameter $d_h = 5,00 \text{ mm}$ or $d_h = 0.1968 \text{ inches}$ on scale C opposite the finishing diameter $dz = 1,775 \text{ mm}$ or $dn = 0.0699 \text{ inches}$ on scale D.

Read off under the right hand connecting line at * and under the left hand connecting line at **, as follows:

*(a) On scale G the total cross sectional area reduction $A = 87,4 \%$

** (b) On scale G the total cross sectional area reduction $R = 87,4 \%$

(c) On table H the constant unit cross sectional area reduction $a = r = \%$ at the intersecting points of the straight lines with the curved lines $z = n = \text{number of drafts.}$

$a = r = 34,8 \%$ (per cent) with $z = n = 5$ drafts

$a = r = 29,2 \%$ " " " $z = n = 6$ "

$a = r = 25,5 \%$ " " " $z = n = 7$ "

$a = r = 22,8 \%$ " " " $z = n = 8$ "

$a = r = 20,5 \%$ " " " $z = n = 9$ "

$a = r = 18,7 \%$ " " " $z = n = 10$ "

$a = r = 17,2 \%$ " " " $z = n = 11$ "

$a = r = 15,9 \%$ " " " $z = n = 12$ "

$a = r = 14,8 \%$ " " " $z = n = 13$ "

- a = r = 13,8 % (per cent) with z = n = 14 drafts**
a = r = 12,9 % " " " z = n = 15 "
a = r = 12,2 % " " " z = n = 16 "
a = r = 11,4 % " " " z = n = 17 "
a = r = 10,9 % " " " z = n = 18 "
a = r = 10,3 % " " " z = n = 19 "

- *(d) Opposite A 1 on B, total elongation factor E = 7,91**
**** (e) " A 100 on B, total elongation factor E = 7,91**
*** (f) " B 100 on A, total cross sectional area remaining Qv = 12,6 %**
**** (g) " B 1 on A, total cross sectional area remaining Qv = 12,6 %**
*** (h) " A = 87,4 % on A, total elongation (E - 1 × 100 = 692 %) on B.**
**** (i) " A = 87,4 % on A, total elongation (E - 1 × 100 = 692 %) on B.**
*** (j) " D 1 on C, diameter ratio $d_h/d_z = 2.808$**
**** (k) " D 10 on C, diameter ratio $d_h/d_z = 2.808$**
*** (l) " C 10 on D, diameter ratio $d_z/d_h = 0.355$**
**** (m) " C 1 on D, diameter ratio $d_z/d_h = 0.355$**

With a similar setting as before, for determining the tensile strength, the Carbon content and the patenting tensile, place cursor line I over the right hand connecting line B 100 to CI 1 or over the left hand connecting line B 1 to CI 10 and read off on the reverse side on table F or F₁ the following values under the cursor line IV:

- *(n) On table F under IV, tensile strength $\sigma_B = 206 \text{ kp/mm}^2$**
**** (o) " " F₁ under IV, tensile strength $\sigma_L = 293 \text{ lb./sq. in.}$**
(p) " " F to the right for $\sigma_B = 206 \text{ kp/mm}^2$ the C content = 0,70 %
(q) " " F₁ to the right for $\sigma_L = 2931 \text{ lb./sq. in.}^3$ the C content = 0,70 %
(r) " " F to the right, the patenting tensile $\sigma_B = 120 \text{ kp/mm}^2$ (red figures)
(s) " " F₁ to the right, the patenting tensile $\sigma_L = 171 \text{ lb./sq. in.}^3$ (red figures)

Especial Note:

- Determining factors for cold forming all materials by using slide rules (a) and (b) can be achieved by using the scales and curve table on the front side as explained in the examples in this instruction book.
- All other calculations can be executed on the scales on the front of slide rules (a) and (b).
- When cold forming steel wire, the tensile strength, the carbon content, the patenting tensile and the increase in tensile in relation to the total cross sectional area reduction is determined on the reverse side, as explained in examples 1,9 to 2,2.

4. The tensile strength values $\sigma_L = \text{lb./sq. in.}^2$ are given in a compact form, the given values $\sigma_L = \text{lb./sq. in.}^2$ should be multiplied by 1000.

5. Variations will occur:

(a) with different chemical combinations, especially with higher or lower **C** and **Mn contents** in the basis material.

(b) by using a higher or lower total cross sectional area reduction $A = R = \%$ and unit cross sectional area reduction $a = r = \%$ when cold forming from $d_h = \text{mm}$ or $d_h = \text{inches}$ to the finishing diameter $d_z = \text{mm}$ or $d_n = \text{inches}$.

(c) when the values on tables **F** and **F₁** are used for non lead patented steel wire.

(d) when, on patenting the thicker diameter $d_h = \text{mm}$ or $d_h = \text{inches}$, an impure, irregular structure is obtained or large perlite particles occur in the structure that will have an adverse effect on the mechanical properties.

(e) when patenting at diameters $d_h = \text{mm}$ or $d_h = \text{inches}$ that have been drawn at a high cold forming degree to the patenting diameter, the patenting tensile $\sigma_B = \text{kp/mm}^2$ or $\sigma_L = \text{lb./sq. in.}$ will increase due to the higher conversion rate. The tensile will decrease when the opposite occurs.

6. Accurate details and finishing methods for lead patented steel wire are described in the handbook:

„Die Praxis der modernen, rationellen und wirtschaftlichen

Fertigung unlegierter und legierter Stahldrähte“

„Aus der Praxis — für die Praxis“

First printed 1963 from Fritz Kohlhase, Dortmund-Asseln.

EXAMPLE 2,0

Determine when cold forming (Example 1,9) from the $d_h = 5,00 \text{ mm}$ or $d_h = 0.1963 \text{ inches}$ to $d_z = 1.775 \text{ mm}$ or $d_n = 0.0699 \text{ inches}$, the draft diameters $d_1; d_2; d_3$ — $d_z = \text{mm}$ or $d_1; d_2; d_3$ — $d_n = \text{inches}$, at the same time the increasing total cross sectional area reduction $A = R = \%$ and the tensile, starting from the patenting tensile $\sigma_B = \text{kp/mm}^2$ or $\sigma_L = \text{lb./sq. in.}^2$ on tables **F** and **F₁** on the reverse side.

Considering the variables mentioned under items 1 to 5, the most favourable reduction $a = r = 20,5 \%$ (per cent) with $z = n = 9$ drafts given in example 1,9 item C, has been selected for cold forming steel wire, from which the draft diameters $d_z = \text{mm}$ or $d_n = \text{inches}$ are determined.

Solution:

Place the patenting diameter $d_h = 5,00 \text{ mm}$ or $d_h = 0.11968 \text{ inches}$ on scale C opposite B 10. At this setting, move cursor line I continually over the intersecting points between the curved lines.

$$\left. \begin{array}{l} z_1; z_2; z_3 - z_9 = \\ n_1; n_2; n_3 - n_9 = \end{array} \right\} \begin{array}{l} \text{number of} \\ \text{drafts.} \end{array}$$

with the horizontal lines.

$$a = 20,5 \% \text{ or } r = 20,5 \text{ per cent.}$$

on table H. Under cursor line I on the front and the cursor line IV on the reverse side read off the following:

- (a) On scale C, the draft diameters $d_1; d_2; d_3 - dz = dn = \text{mm or inches}$ which are the diameters.
- (b) At the same time the increasing cross sectional area reduction $A = R = \%$ at each draft $z = n = 1$ to 9 on G.
- (c) On table F on the reverse side of slide rules (a) and (b) on the right, the C content = 0,70 % (black figures) patenting tensile $\sigma_B = 120 \text{ kp/mm}^2$ (red figures — right) and, depending on the drafts, $z = 1$ to 9, the increasing tensile to the finishing tensile $\sigma_B = \text{kp/mm}^2$.
- (d) On table F₁ on the reverse side of slide rules (a) and (b) the content = 0,70 % (black figures), patenting tensile $\sigma_L = 171 \text{ lb./sq. in.}^2$ (red figures right) and, depending on the drafts $mo = 1$ to 9, the increasing tensile to the finishing tensile $\sigma_L = 293 \text{ sq. in.}^2$.

The following factors are obtained in the scales and tables:

scale C	scale G	table F
$d_1 = 4,45 \text{ mm};$	$A = 20,5 \%;$	$\sigma_B = 131 \text{ kp/mm}^2$
$d_2 = 3,97 \text{ mm};$	$A = 37,0 \%;$	$\sigma_B = 141 \text{ kp/mm}^2$
$d_3 = 3,54 \text{ mm};$	$A = 49,8 \%;$	$\sigma_B = 150 \text{ kp/mm}^2$
$d_4 = 3,16 \text{ mm};$	$A = 60,0 \%;$	$\sigma_B = 157 \text{ kp/mm}^2$
$d_5 = 2,82 \text{ mm};$	$A = 68,4 \%;$	$\sigma_B = 164 \text{ kp/mm}^2$
$d_6 = 2,51 \text{ mm};$	$A = 74,8 \%;$	$\sigma_B = 173 \text{ kp/mm}^2$
$d_7 = 2,23 \text{ mm};$	$A = 80,0 \%;$	$\sigma_B = 182 \text{ kp/mm}^2$
$d_8 = 2,00 \text{ mm};$	$A = 84,0 \%;$	$\sigma_B = 193 \text{ kp/mm}^2$
$dz = 1,775 \text{ mm};$	$A = 87,4 \%;$	$\sigma_B = 206 \text{ kp/mm}^2$
scale C	scale G	table F ₁
$d_1 = 0.1752 \text{ in.};$	$R = 20.5 \text{ p. c.};$	$\sigma_L = 186 \text{ lb./sq. in.}^2$
$d_2 = 0.1563 \text{ in.};$	$R = 37.0 \text{ p. c.};$	$\sigma_L = 201 \text{ lb./sq. in.}^2$
$d_3 = 0.1394 \text{ in.};$	$R = 49.8 \text{ p. c.};$	$\sigma_L = 212 \text{ lb./sq. in.}^2$

scale C	scale G	table F ₁
$d_1 = 0.1244 \text{ in.};$	$R = 60.0 \text{ p. c.};$	$\sigma_L = 223 \text{ lb./sq. in.}^3$
$d_2 = 0.1110 \text{ in.};$	$R = 68.4 \text{ p. c.};$	$\sigma_L = 233 \text{ lb./sq. in.}^3$
$d_3 = 0.0988 \text{ in.};$	$R = 74.8 \text{ p. c.};$	$\sigma_L = 246 \text{ lb./sq. in.}^3$
$d_4 = 0.0878 \text{ in.};$	$R = 80.0 \text{ p. c.};$	$\sigma_L = 259 \text{ lb./sq. in.}^3$
$d_5 = 0.0787 \text{ in.};$	$R = 84.0 \text{ p. c.};$	$\sigma_L = 275 \text{ lb./sq. in.}^3$
$d_n = 0.0699 \text{ in.};$	$R = 87.4 \text{ p. c.};$	$\sigma_L = 293 \text{ lb./sq. in.}^3$

Note:

When setting cursor line I over the intersecting points $z = n = 1$ to 9 with $a = r = 20.5\%$ on table H, the result $\sigma_B = \text{kp/mm}^2$ will be read on the reverse side on table F and $\sigma_L = \text{lb./sq. in.}^3$ on table F₁ under cursor line IV. At * move slide to other side.

EXAMPLE 2,1

As in example 1,5, determine for 1,9 the diminishing unit cross sectional area reduction $a = r = \%$ for the draft diameters $d_1; d_2; d_3 \dots dz = \text{mm}$ or $d_1; d_2; d_3 \dots dn = \text{inches}$. Also the increasing cross sectional area reduction $A = R = \%$ and the tensile strength $\sigma_B = \text{kp/mm}^2$ or $\sigma_L = \text{lb./sq. in.}^3$.

Exit or starting diameter is patented steel wire $d_h = 5,00 \text{ mm}$ or $d_h = 0.1968 \text{ inches}$. In example 1,9 under (c) $z = n = 9$ drafts with $a = r = 20,5\%$ was determined.

Solution:

Add to the in e. g. 1,9 determined unit cross sectional area reduction ($a = r = 20,5\%$) per draft as follows:

- At d_h on $d_1 = \text{mm or in.}$, to $a = r = 20,5 + 8,0 = 28,5\%$
- " d_1 on $d_2 = \text{mm or in.}$, to $a = r = 20,5 + 7,0 = 27,5\%$
- " d_2 on $d_3 = \text{mm or in.}$, to $a = r = 20,5 + 6,0 = 26,5\%$
- " d_3 on $d_4 = \text{mm or in.}$, to $a = r = 20,5 + 5,0 = 25,5\%$
- " d_4 on $d_5 = \text{mm or in.}$, to $a = r = 20,5 + 4,0 = 24,5\%$
- " d_5 on $d_6 = \text{mm or in.}$, to $a = r = 20,5 + 3,0 = 23,5\%$
- " d_6 on $d_7 = \text{mm or in.}$, to $a = r = 20,5 + 2,0 = 22,5\%$
- " d_7 on $d_8 = \text{mm or in.}$, to $a = r = 20,5 + 1,0 = 21,5\%$
- " d_8 on $dz = \text{mm or in.}$, to $a = r = 20,5 + 0,0 = 20,5\%$

Place the exit or starting diameter $d_h = 5,00 \text{ mm}$ or $d_h = 0.1968 \text{ inches}$ opposite D 10. Slide cursor line I over the intersecting points of the determined unit cross sectional area reductions for the diminishing reduction on table H. Under cursor line I on the front and cursor line IV on the reverse side, the following factors can be read:

scale C	scale G	table F ₁
d ₁ = 4,23 mm;	A = 28,5 %;	σ _B = 136 kp/mm ²
d ₂ = 3,62 mm;	A = 47,6 %;	σ _B = 148 kp/mm ²
d ₃ = 3,14 mm;	A = 60,4 %;	σ _B = 157 kp/mm ²
d ₄ = 2,77 mm;	A = 69,3 %;	σ _B = 165 kp/mm ²
d ₅ = 2,47 mm;	A = 75,5 %;	σ _B = 174 kp/mm ²
d ₆ = 2,23 mm;	A = 80,0 %;	σ _B = 182 kp/mm ²
d ₇ = 2,05 mm;	A = 83,2 %;	σ _B = 191 kp/mm ²
d ₈ = 1,90 mm;	A = 85,6 %;	σ _B = 200 kp/mm ²
d _z = 1,775 mm;	A = 87,4 %;	σ _B = 206 kp/mm ²

scale C	scale G	table F ₁
d ₁ = 0.1665 in.;	R = 28.5 p. c.;	σ _L = 193 lb./sq. in. ²
d ₂ = 0.1425 in.;	R = 47.6 p. c.;	σ _L = 211 lb./sq. in. ²
d ₃ = 0.1236 in.;	R = 60.4 p. c.;	σ _L = 223 lb./sq. in. ²
d ₄ = 0.1091 in.;	R = 69.3 p. c.;	σ _L = 235 lb./sq. in. ²
d ₅ = 0.0972 in.;	R = 75.5 p. c.;	σ _L = 248 lb./sq. in. ²
d ₆ = 0.0878 in.;	R = 80.0 p. c.;	σ _L = 259 lb./sq. in. ²
d ₇ = 0.0807 in.;	R = 83.2 p. c.;	σ _L = 271 lb./sq. in. ²
d ₈ = 0.0748 in.;	R = 85.6 p. c.;	σ _L = 285 lb./sq. in. ²
d _n = 0.0699 in.;	R = 87.4 p. c.;	σ _L = 293 lb./sq. in. ²

Note:

When placing cursor line I over the intersecting points $z = n = 1$ to 9 with $a = r = \%$ diminishing unit cross sectional area reduction on table H, $\sigma_B = \text{kp/mm}^2$ will be read on table F₁ on the reverse side under cursor line IV. At move slide over to other side.

EXAMPLE 2,2

Determine for e.g. 1,9 the running time $t = \text{min./100 kp}$ (metric system) or $t = \text{min./100 lb.}$ (English system) at a drawing speed $c = 7,0 \text{ m/s}$ or $v = 1379 \text{ ft./min.}$

Solution 1 (metric system)

Place one of the fixed symbols for iron and steel $F = 1.273$ or $F_1 = 4.020$ (marked on scale C) opposite $d_z = 1,775 \text{ mm}$ on scale D. At this setting place cursor line I over the drawing speed $v = 7,0 \text{ m/s}$ on scale E. Under cursor line I read the following on scale B:

(a) $t = 12.3 \text{ min./100 kp}$ at $v = 7,0 \text{ m/s}$

Now place the determined running time $t = 12.3 \text{ min./100 kp}$ on scale **B** opposite **60** on scale **A**. **Opposite B 1** on scale **A** read off:

(b) $m = 480 \text{ kp/h}$

With the same setting read opposite **A 100** on scale **B**:

(c) $tm = 0.202 \text{ h/100 kp}$

Solution 2 (English system)

Place one of the fixed symbols for iron and steel $Fft = 1.934$ or $Fft = 6.116$ (marked scale **C**) opposite $dn = 0.0699 \text{ inches}$ on scale **D**. At this setting place cursor line **I** over the drawing speed $v = 1379 \text{ ft./min.}$ on scale **E**. Under cursor line **I** read the running time t on scale **B** as follows:

(d) $t = 5.55 \text{ min./100 lb.}$ at $v = 1379 \text{ ft./min.}$

Now place the running time $t = 5.55 \text{ min./100 lb.}$ on scale **B** opposite **60** on scale **A**. **Opposite B 100** on scale **A** read:

(e) $m = 1078 \text{ lb./h}$

With the same setting read **opposite A 100** on scale **B**:

(f) $tm = 0.960 \text{ h/100 lb.}$

Now place the theoretical production under (b) $m = 480 \text{ kp/h}$ or the production under (e) $m = 1078 \text{ lb./h}$ **opposite D 10**. **Opposite the actual production** on scale **C** read the percentage efficiency $Ag = \%$ on scale **D** as shown in e. g. **1,6**.

Note:

As seen in e. g.'s **1,9** to **2,2** all necessary factors in steel wire production can be achieved for all diameters $dz = \text{mm}$ or $dn = \text{inches}$ with slide rules (a) and (b).

These calculations take only a small fraction of the time that other calculations take so that time and expense is saved by using these slide rules.

SPECIAL EXAMPLE

- (a) We are given a non-slip drawing machine (multiholer with wire accumulation) having **9 holes** and a drawing speed reduction of **25 %**. The reduction of the unit cross sectional area reduction $a = \%$ to be so that there is only the lowest possible wire accumulation.

Solution

Place the right-hand connecting line **B 100** to **CI 1** opposite the intersecting point $z_0 = n_0$ drafts with $a = r = 25,1 \%$ on table **H**.

All exit diameters $do = \text{mm}$ or $do = \text{inches}$ that as factors and fractions on scale **C**, are opposite factors and fractions on scale **D** can be drawn with a much lower wire accumulation on the multihole machine providing the machine is capable of it.

All other factors are determined as in the preceding examples.

- (b) A steel wire of unknown diameter having a tensile strength of $\sigma_B = 190 \text{ kp/mm}^2$ or $\sigma_L = 270 \text{ lb./sq. in.}^2$ is to be produced.

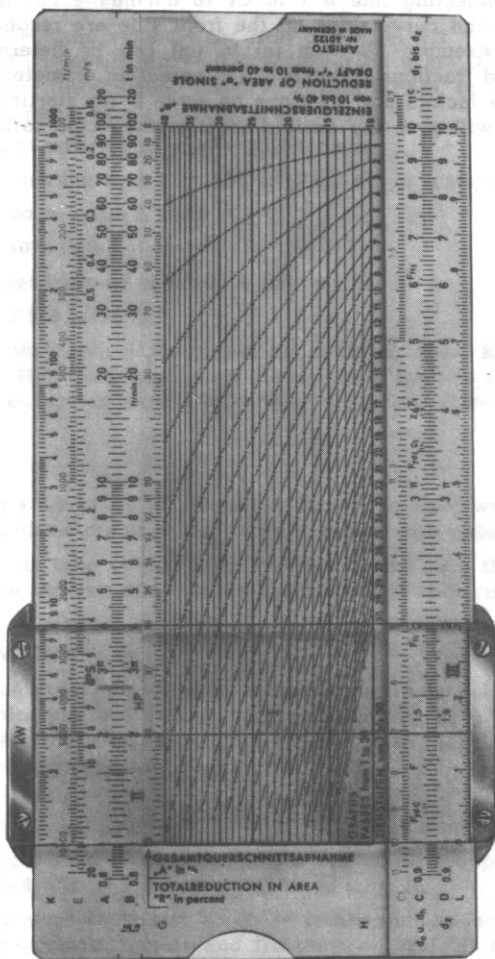
Solution

Place cursor line IV on the reverse side over ,

(a) Tensile strength $\sigma_B = 190 \text{ kp/mm}^2$ on table F or

(b) tensile strength $\sigma_L = 270 \text{ lb./sq. in.}^2$ on table F₁

Then on the front side, place the right hand connecting line B 100 to CI 1 or the left hand connecting line B 1 to CI 10 under cursor line I. By this movement, all scales and curvetables on the front side are reconnected so that all factors given in example 1,9 from (a) to (m) can be determined. At this setting, all factors and fractions on scale C (as patenting diameters $d_h = \text{mm}$ or $d_h = \text{inches}$) opposite factors and fractions on scale D (as starting, intermediate and final diameters) will give the desired tensile when cold forming under (a) and (b).



INSTRUCTIONS

for Bar Forming

with

(a) **UNIVERSAL SLIDE RULE "DRAHT" IWA 09 102**

System: Kohlhase-Heuel

(b) **UNIVERSAL POCKET SLIDE RULE "DRAHT" ARISTO 40 128**

System: Kohlhase-Heuel

UNIVERSITY OF TORONTO

Faculty of Education

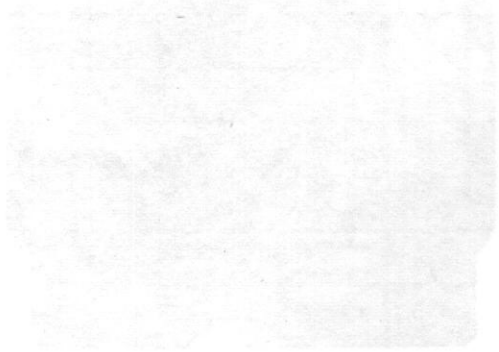
1981

EDUCATIONAL RESEARCH AND EVALUATION

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(b) UNIVERSITY OF TORONTO

EDUCATIONAL RESEARCH AND EVALUATION



BAR FORMING

Whereas wire forming is usually a multi-draft process ($z = n$ drafts), Bar forming is always a single draft operation on draw benches ($z = n = 1$ draft).

The reduction from exit diameter ($d_o = \text{mm}$ or $d_o = \text{inches}$) or exit cross sectional area ($F_o = \text{mm}^2$ or $F_o = \text{sq./in.}$) to finishing diameter ($d_z = \text{mm}$ or $d_n = \text{inches}$) or finishing cross sectional area ($F_z = \text{mm}^2$ or $F_n = \text{sq./in.}$) is usually expressed in mm or inches.

Round bar forming in coil is a continuous process whereby the basis material, after surface treatment, is drawn, straightened, polished and sheared. All other basis materials in bar form with round or profile sections are drawn on draw benches and, in the case of round bar, simultaneously straightened, polished and sheared in lengths.

It should be noted that when forming thicker materials the energy needed $N_A = P_S$ or $P_{Dr} = HP$ will increase tremendously.

The factors for round steel, Iron and metal bar forming are determined by placing $d_o = \text{mm}$ or $d_o = \text{inches}$ on scale **C** opposite $d_z = \text{mm}$ or $d_n = \text{inches}$ on scale **D**, as given in the examples on wire forming, but only with $z = n = 1$ draft.

The factors for profile cross sectional areas are determined by placing $F_o = \text{mm}^2$ or $F_o = \text{sq./in.}$ on scale **B** opposite $F_z = \text{mm}^2$ or $F_n = \text{sq./in.}$ on scale **A**. Two materials have been chosen at random for the following examples.

Material 1. Free cutting steel 9 SPh 23, Material No. 10716 with $C = 0,15\%$, $Mn = 0,50$ to $0,90\%$; $P = 0,026$ to $0,125\%$; S and $Pb = 0,15$ to $0,30\%$.

Material 2. High Purity Steel Ck 60, Material No. 11221 with $C = 0,57$ to $0,65\%$; $Si 0,15$ to $0,35\%$; $Mn = 0,50$ to $0,90\%$; $P + S = \text{maximum}$ of $0,035\%$.

EXAMPLE 2,3

Determine for forming material 1, all factors by using slide rules (a) and (b). Exit cross sectional area to be $F_o = 283,53 \text{ mm}^2$ or $F_o = 0.4395 \text{ sq./in.}$ and finished cross sectional area to be $F_z = 254,47 \text{ mm}^2$ or $F_n = 0.3944 \text{ sq./in.}$

Materials having large round or profile sections have been eliminated as they are not cold formed before being descaled and cleaned.

Solution

Make the basic setting by placing $F_o = 283,53 \text{ mm}^2$ or $F_o = 0.4395 \text{ sq./in.}$ on scale **B** opposite $F_z = 254,47 \text{ mm}^2$ or $F_n = 0.3944 \text{ sq./in.}$ on scale **A**. This setting is identical for both units of measurement so that the slide need not be reversed.

Under the right hand connecting line **B 100** to **CI 1**, read off as follows on Table **H**, on scale **G** and on the other scales as follows:

- (a) On scale **A**, the total cross sectional area reduction $A = R = 10\%$
- (b) On Table **H**, unit cross sectional area reduction (reduction per draft)
 $a = r = 10\%$
- (c) " " **H**, at intersection $z = n = 1$ draft with $a = r = 10\%$
- (d) Opposite **A 1** on **B**, total elongation factor $E = 1.111$
- (e) " **B 100** on **A**, total remaining cross sectional area $Qv = 90\%$
- (f) " $A = R = 10$ on scale **A** read on scale **B**:
 $(E - 1 \times 100\%)$ or $E = 1.111 - 1 = 0.111 \times 100 = 11.1\%$ elongation.
- (g) " $L_o =$ metres on scale **A** read $Lz =$ metres final length on scale **B**
 $l_o =$ yards on scale **A** read $ln =$ yards final length on scale **B**
 $l_o =$ feet on scale **A** read $ln =$ feet final length on scale **B**

To determine the reduction in mm with the same setting, place the top left hand cursor line **II** opposite $Fz = 254,47 : 100 = 2,5447 \text{ mm}^2$ or $Fn = 0.3944 \text{ sq./in.}$ on scale **A**.

Under cursor line **I**, read on scale **C** the diameter $do = 10,00 \text{ mm}$ or $do = 0.7480$ inches and on scale **D** the diameter $dz = 18,00 \text{ mm}$ or $dn = 0.7087$ inches.

EXAMPLE 2,4

Determine all factors for material 2 having sections of $Fo = 63,62 \text{ mm}^2$ or $Fo = 0.0986 \text{ sq./in.}$ to $Fz = 50,27 \text{ mm}^2$ or $Fn = 0.0779 \text{ sq./in.}$

Solution

As in e. g. 2,3 place $Fo = 63,62 \text{ mm}^2$ or $Fo = 0.0986 \text{ sq./in.}$ on scale **B** opposite $Fz = 50,27 \text{ mm}^2$ or $Fn = 0.0779 \text{ sq./in.}$ on scale **A**. Under the right hand connecting line **B 100** to **CI 1**, read on table **H**; on scale **G** and on the other scales as follows:

- (a) On scale **A**, total cross sectional area reduction $A = R = 21\%$
- (b) On table **H**, unit cross sectional area reduction
 $a = r = 21\%$ with $z = 1$ draft
 $a = r = 11\%$ with $z = 2$ drafts.
- (c) Opposite **A 1** on **B**, total elongation factor $E = 1,266$
- (d) " **B 100** on **A**, total remaining cross sectional area $Qv = 79\%$
- (e) " $A = R = 21\%$ on scale **A**, read on scale **B** the elongation
 $(E - 1 \times 100)$ or
 $E = 1,266 - 1 = 0,266 \times 100 = 26,6\%$

(f) Opposite $L_o = \text{metres}$ on scale A read $L_z = \text{metres}$ final length on scale B.

$l_o = \text{yards}$ on scale A read $l_n = \text{yards}$ final length on scale B.

$l_o = \text{feet}$ on scale A read $l_n = \text{feet}$ final length on scale B.

To determine the reduction in mm, with the same setting, place the top left hand cursor line II over $F_z = 50,27 \text{ mm}^2$ or $F_n = 0.0779 \text{ sq./in.}$ (set F_n on left under 0.0779) on scale A. Under cursor line I read on scale C the diameter $d_o = 9,00 \text{ mm}$ or $d_o = 0.3543 \text{ inches}$ and on scale D the diameter $d_z = 8,00 \text{ mm}$ or $d_n = 0.3149 \text{ inches}$.

When cold forming material 2 with $a = r = 11\%$ and $z = 2$ drafts, then $F_o = 63,62 \text{ mm}^2$ or $F_o = 0.098 \text{ sq./in.}$ on scale B is placed opposite 100 on scale A. Move cursor line I over the intersecting points z_1 and z_2 ($z = n$) with $a = r = 11\%$ on table H and read off on scale B under cursor line I as follows:

for $z_1 = n_1$ with $a = r = 11\%$ on table H, further

for $z_2 = n_2$ with $a = r = 11\%$ on table H

and then on scale C under cursor line I read off the two single drafts as follows:

$F_1 = 56,50 \text{ mm}^2$ or $F_1 = 0.0870 \text{ sq./in.}$

$F_2 = 50,27 \text{ mm}^2$ or $F_2 = 0.0779 \text{ sq./in.}$

Explanation: $a = r = 11\%$ is the total cross sectional area reduction. Because the reductions F_1 and F_2 set on scales C and D are the square roots of the reductions F_1 and F_2 on scales B and A, the above calculations can be achieved.

The values of materials 1 and 2, the starting and finishing cross sectional areas $F_o = \text{mm}^2$ and $F_z = \text{mm}^2$ or $F_o = \text{sq./in.}$ and $F_n = \text{sq./in.}$ are given as examples, but any materials having any starting and finishing areas can be calculated by using slide rules (a) and (b).

EXAMPLE 2,5

To determine the length $L_o = \text{m}$; $l_o = \text{yd.}$ or $l_o = \text{ft.}$ for material 1, place the elongation factor $E = 1.111$ and for material 2 the elongation factor $E = 1.266$ on scale B opposite A 1.

Solution

Opposite the starting lengths $L_o = \text{m}$; $l_o = \text{yd.}$ or $l_o = \text{ft.}$ on scale A, the finishing lengths $L_z = \text{m}$; $l_n = \text{yd.}$ and $l_n = \text{ft.}$ are read off on scale B.

EXAMPLE 2,6

Determine the weight $G_M = \text{kp/m}$; $W_y = \text{lb./yd.}$ and $W_F = \text{lb./ft.}$ for the starting cross sectional area $F_o = 283,53 \text{ mm}^2$ or $F = 0.4395 \text{ sq./in.}$ and for the finishing cross sectional area $F_z = 254,47 \text{ mm}^2$ or $F_n = 0.3944 \text{ sq./in.}$ for material 1 given in e. g. 2,3.

Solution

Place cursor line I over the above mentioned areas on scale A. **Note:** The next setting must be carefully followed. Place one of the fixed symbols

$$F = 1.273 \text{ or } F_1 = 4.020$$

$$F_{yd} = 1.117 \text{ or } F_{yd1} = 3.531$$

$$F_{ft} = 1.934 \text{ or } F_{ft1} = 6.116$$

for materials having a weight $\gamma = 7,85 \text{ kp/dm}^3$, $\gamma = 13231.6 \text{ lb./cu. yd.}$ or $\gamma = 490.1 \text{ lb./cu. ft.}$ on scale C, under the bottom right hand cursor line III. With slide extended to right read off:

$$\text{for } F_o = 283,53 \text{ mm}^2 \text{ read } G_M = 2,23 \text{ kp/m} \text{ opposite B 1 on A.}$$

$$\text{" } F_o = 0.4395 \text{ sq./in. " } W_y = 4.487 \text{ lb./yd. " B 1 on A.}$$

$$\text{" } F_o = 0.4395 \text{ sq./in. " } W_F = 1.496 \text{ lb./ft. " B 1 on A.}$$

At the same setting, the lengths are read off as follows:

$$\text{for } F_o = 283,53 \text{ mm}^2 \text{ read } L = 0,4493 \text{ m/kp} \text{ opposite A 100 on B.}$$

$$\text{" } F_o = 0.4395 \text{ sq./in. " } l = 0.2229 \text{ yd./lb. " A 100 on B.}$$

$$\text{" } F_o = 0.4395 \text{ sq./in. " } l = 0.6686 \text{ ft./lb. " A 100 on B.}$$

The setting is identical for all areas. With the slide extended to the left a reverse reading applies, under A 1 on B kp/m ; lb./yd. ; lb./ft. and above B 100 on A m/kp ; yd./lb. and ft./lb.

Special note.

For other materials, the fixed symbol values are given in table 1 and used as above. In this way all materials depending on the area can have weight and length calculated as with material 1.

EXAMPLE 2,7

It is always interesting to the technician to know the net running time $t = \text{min.}$ for a starting length $L_o = \text{metres}$; $l_o = \text{yards}$ or $l_o = \text{feet}$ depending on the drawing speed $v = \text{m/s}$ and $v = \text{ft./min.}$, by using slide rules (a) and (b). Starting (or exit) lengths are taken as:

$$L_o = 10,00 \text{ metres}$$

$$l_o = 10.94 \text{ yards } (10 \text{ m} \times 1.09364 \text{ yd.} = 10.94 \text{ yd.})$$

$$l_o = 32.28 \text{ feet } (10 \text{ m} \times 3.28080 \text{ ft.} = 32.28 \text{ ft.})$$

Solution

For drawing certain bar lengths the drawing speed (taken as an example) will be:

$$L_0 = 10,00 \text{ metres at } v = 0,05 \text{ m/s} \quad (0,05 \text{ m/s} \times 60 \text{ min.} = 3,0 \text{ m/min.})$$

$$l_0 = 10,94 \text{ yards at } v = 3,28 \text{ ft./min.} \quad (1 \text{ m} = 1,094 \text{ yd.} \times 3,0 \text{ m/min.} = 3,28 \text{ ft./min.})$$

$$l_0 = 32,28 \text{ feet at } v = 9,84 \text{ ft./min.} \quad (1 \text{ m} = 3,2808 \text{ ft.} \times 3,0 \text{ m/min.} = 9,84 \text{ ft./min.})$$

To determine the running time of a bar length $t = \text{min.}$ (metric system), place cursor line **I** over $v = 0,50 \text{ m/s}$ for lengths in metres; over $v = 3,28 \times 100 = 328 \text{ ft./min.}$ for lengths in yards and over $v = 9,84 \times 100 = 984 \text{ ft./min.}$ for lengths in feet on scale **E**. Then place the connecting line **B 100** to **CI 1** under cursor line **I**. Opposite the lengths given in this example, $L_0 = 10,00 \text{ m}$; $l_0 = 10,94 \text{ yards}$ and $l_0 = 32,28 \text{ feet}$ on scale **B**, read the net running time $t = \text{min.}$ on scale **A** as follows:

At $v = 0,05 \text{ m/s}$ opposite $L_0 = 10,00 \text{ m}$ on **B**, read $t = 3,33 \text{ min.}$ on **A**.

" $v = 3,28 \text{ ft./min.}$ " $l_0 = 10,94 \text{ yd.}$ on **B**, read $t = 3,33 \text{ min.}$ on **A**.

" $v = 9,84 \text{ ft./min.}$ " $l_0 = 32,28 \text{ ft.}$ on **B**, read $t = 3,33 \text{ min.}$ on **A**.

The running time can be determined more easily by placing:

(a) $v = 3,00 \text{ m/min.}$ on scale **B** opposite **A 1**

(b) $v = 3,28 \text{ ft./min.}$ on scale **B** opposite **A 1**

(c) $v = 9,84 \text{ ft./min.}$ on scale **B** opposite **A 1**

At this setting, opposite the lengths $L_0 = \text{m}$; $l_0 = \text{yd.}$ and $l_0 = \text{ft.}$ on scale **B** the same running time on scale **A**, ($t = 3,33 \text{ min.}$) when $L_0 = 10,00 \text{ m}$; $l_0 = 10,94 \text{ yd.}$ and $l_0 = 32,28 \text{ ft.}$

Irrespective of which basis material is to be cold formed, bar forming remains a single draft process and all factors can easily and quickly be determined by using slide rules (a) and (b) when the following facts are known:

1. for round sections $d = \text{mm}$; $d = \text{inches.}$
2. for profile sections $F = \text{mm}^2$; $F = \text{sq./in.}$

It is to be noted that variations will occur when:

- (a) The setting is inaccurate,
- (b) Inaccurate reading off or estimating,
- (c) Incorrect placing of decimal.

If points (a) to (c) are adhered to when using slide rules (a) and (b) bar forming will be more efficient and time will be saved.

The following table shows the results of the analysis of variance for the study of the effect of the concentration of the solution on the rate of reaction. The data are given in the following table:

Concentration of solution (M)	Rate of reaction (mol/l.s)
0.1	0.001
0.2	0.002
0.3	0.003
0.4	0.004
0.5	0.005
0.6	0.006
0.7	0.007
0.8	0.008
0.9	0.009
1.0	0.010

The following table shows the results of the analysis of variance for the study of the effect of the concentration of the solution on the rate of reaction.

- (a) $v = 1.00 \times 10^{-3} \text{ mol/l.s}$ on a scale of 1000
- (b) $v = 2.00 \times 10^{-3} \text{ mol/l.s}$ on a scale of 1000
- (c) $v = 3.00 \times 10^{-3} \text{ mol/l.s}$ on a scale of 1000

At this point, the following table shows the results of the analysis of variance for the study of the effect of the concentration of the solution on the rate of reaction.

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0.6	0.006
0.7	0.007
0.8	0.008
0.9	0.009
1.0	0.010

It is to be noted that the results of the analysis of variance for the study of the effect of the concentration of the solution on the rate of reaction are given in the following table:

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Concentration of solution (M)	Rate of reaction (mol/l.s)
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0.3	0.003
0.4	0.004
0.5	0.005
0.6	0.006
0.7	0.007
0.8	0.008
0.9	0.009
1.0	0.010

INSTRUCTIONS for TUBE FORMING

with

(a) Universal Slide Rule „DRAHT“ IWA 09102

System: Kohlhase-Heuel

(b) Universal Pocket Slide Rule „DRAHT“ ARISTO 40 128

System: Kohlhase-Heuel

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with

(a) University of Toronto, 1961
System: Kohler-Hess

(b) University of Toronto, 1961
System: Kohler-Hess

TUBE FORMING

Tube forming from large down to small diameters is usually achieved by drawing on various types of draw bench.

Tube from various materials is usually drawn through a number of dies until the final or finishing diameter is achieved. When the forming limit is reached — which varies with each material — an annealing process occurs. The processing and the achieving of the most advantageous mechanical properties at the final stage depend on:

- (a) the total cross sectional area reduction $A = R = \%$ (per cent)
- (b) the unit cross sectional area reduction (reduction per single draft) $a = r = \%$
- (c) $z = n =$ total number of drafts
- (d) the draft diameters $D_1; D_2 \dots D_z = D_n =$ mm or inches
- (e) the inner tool or mandrel diameters in mm or inches
- (f) the diameter of the necessary drawing dies in mm or inches
- (g) the annealing treatment.

Determining the necessary factors from (a) to (g) in both units of measurement by using slide rules (a) and (b) is explained in the following examples. For the tube forming process, the following symbols — as with wire and bar drawing — have been used:

1. $D_o; D_1; D_2 \dots D_z =$ mm or $D_o; D_1; D_2 \dots D_n =$ inches
for the external starting, intermediate and final diameters.
2. $d_i; d_{i1}; d_{i2} \dots d_{iz} =$ mm or $d_i; d_{i1}; d_{i2} \dots d_{in} =$ inches.
for the internal starting, intermediate and final diameters.
3. $t_o; t_1; t_2 \dots t_z =$ mm or $t_o; t_1; t_2 \dots t_n =$ inches.
for the starting, intermediate and final wall thickness.
5. Average diameter $D_o - t_o = D_m =$ mm or inches
= external diameter — wall thickness.
6. Average diameter $d_i + t_o = D_m =$ mm or inches
= internal diameter + wall thickness.

EXAMPLE 1

Tube drawing without inner tool (Hollow drawing)

By this method, the external and internal diameter is reduced by an almost identical amount. The wall thickness can sometimes increase by 5%, but can also decrease depending on the degree of forming, according to "Siebel und Weber", Stahl und Eisen 55 (1935) S. 331/34. In determining the factors for cold forming, these variations are ignored although practically, they should not be ignored.

Determine all factors for cold forming a tube without mandrel having:

- (a) $D_o = 35,00$ mm or $D_o = 1.378$ inches external diameter

to a final or finishing diameter of:

(b) $D_z = 25,40 \text{ mm}$ or $D_n = 100 \text{ inches}$.

The internal diameter when starting to be:

(c) $di_o = 30,00 \text{ mm}$ or $di_o = 1.181 \text{ inches}$

having a wall thickness of:

(d) $t_o = 2,50 \text{ mm}$ or $t_o = 0.09843 \text{ inches}$.

The average diameter at (a) is:

(e) $D_o = 35,00 \text{ mm} - 2,50 \text{ mm} = D_m = 32,50 \text{ mm}$
 $D_o = 1.378 \text{ in.} - 0.09843 \text{ in.} = D_m = 1.2796 \text{ in.}$

At the final diameter, the average diameter to be:

(f) $D_z = 25,40 \text{ mm} - 2,50 \text{ mm} = D_m = 22,90 \text{ mm}$
 $D_n = 1.00 \text{ in.} - 0.09843 \text{ in.} = D_m = 0.90157 \text{ in.}$

From which follows the internal diameter $di_z = \text{mm}$ or $di_n = \text{in.}$

(g) $D_m = 22,90 \text{ mm} - 2,50 \text{ mm wall thickness} = di_z = 20,40 \text{ mm}$.
 $D_m = 0.90157 \text{ in.} - 0.09843 \text{ in. wall thickness} = di_n = 0.80314 \text{ in.}$

Solution

The basic setting is exactly as for wire and bar drawing, by placing:

$D_o = 35,00 \text{ mm}$ on scale C opposite $D_z = 25,40 \text{ mm}$ on scale D or

$D_o = 1.378 \text{ in.}$ on scale C opposite $D_n = 0.09843 \text{ in.}$ on scale D.

With this setting, read under connecting line B 100 with CI 1 on scale G, on table H and on the other scales as follows:

1. On scale G, total cross sectional area reductions $A = R = 47,30 \%$ (per cent)
2. On table H, at the intersection of $a = r = \%$ with $z = n$ number of drafts:

(a) $a = r = 27,4 \%$ with $z = n = 2$ drafts

(b) $a = r = 19,1 \%$ with $z = n = 3$ drafts

(c) $a = r = 14,9 \%$ with $z = n = 4$ drafts

(d) $a = r = 12,0 \%$ with $z = n = 5$ drafts

(e) $a = r = 10,2 \%$ with $z = n = 6$ drafts

The choice of reduction per draft is dependant on the material.

3. Opposite **A 1**, Total elongation factor $E = 1.899$
4. " **Lo = m** on A, after forming **lz = m** is found on B
5. " **lo = yd.** on A, after forming **ln = yd.** is found on B
6. " **lo = ft.** on A, after forming **ln = ft.** is found on B
7. " **A = R = 47,30 %** on A read the elongation on B. $(E - 1 \times 100 = \%) 1,899 - 1 = 0,899 \times 100 = 89,9 \%$
8. " **D 1** on C, read the diameter ratio (D_o/d_z) on $(D_o/D_n) = 1,378$.

EXAMPLE 2

Determine the separate external and internal draft diameters for cold forming the tube given in example 1 under (a); * (c) and * (e).

Solution

To determine the intermediate values for the separate drafts, place:

(a) $D_o = 35,00 \text{ mm}$ or $D_o = 1.378 \text{ in.}$ on scale C

* (c) $d_{i0} = 30,00 \text{ mm}$ or $d_{i0} = 1.181 \text{ in.}$ on scale C

* (e) $D_m = 32,50 \text{ mm}$ or $D_m = 1.280 \text{ in.}$ on scale C

opposite D 10 on scale D.

For cold forming the external diameters $D_o = 35,00 \text{ mm}$ or $D_o = 1.378 \text{ in.}$ the under 2/b determined unit cross sectional area reduction $a = 19,1 \%$ with three drafts has been chosen Whilst the choice of $z = 3$ drafts is sufficient for (a), for * (c) and (e), the unit cross sectional area reductions are determined by the basic setting.

To determine these place:

* (c) $d_{i0} = 30,00 \text{ mm}$ or $d_{i0} = 1.181 \text{ in.}$ on scale C opposite

(h) $d_{i_z} = 20,40 \text{ mm}$ or $d_{i_n} = 0.80314 \text{ in.}$ on scale D and

* (e) $D_m = 32,50 \text{ mm}$ or $D_m = 1.280 \text{ in.}$ on scale C opposite

(g) $D_m = 22,90 \text{ mm}$ or $D_m = 0.90157 \text{ in.}$ on scale D.

Under the connecting line B 100 with CI 1 at the intersection with $z = 3$ drafts read:

for c on h the unit cross sectional area reduction

$a = 22,6 \%$ and for e on g the unit cross sectional area reduction

$a = 20,9 \%$, on table H.

In determining the drafts as in (a), (c), and (e), move cursor line I continuously across the intersections on table H for:

(a) $z_1; z_2; z_3$ or $n_1; n_2; n_3$ with $a = 19,1 \%$

(c) $z_1; z_2; z_3$ or $n_1; n_2; n_3$ with $a = 22,6 \%$

(e) $z_1; z_2; z_3$ or $n_1; n_2; n_3$ with $a = 20,9 \%$

Under cursor line I on scale C we read off the following:

(a) $D_o = 35,00 \text{ mm}; D_o = 1.378 \text{ inches}$ starting external diameter

$D_1 = 31,40 \text{ mm}; D_1 = 1.236 \text{ inches}$ First draft diameter

$D_2 = 28,25 \text{ mm}; D_2 = 1.112 \text{ inches}$ second draft diameter

$D_z = 25,40 \text{ mm}; D_n = 1.000 \text{ inches}$ final external diameter

(c) $d_{i0} = 30,00 \text{ mm}; d_{i0} = 1.181 \text{ inches}$ starting internal diameter

$d_{i1} = 26,68 \text{ mm}; d_{i1} = 1.050 \text{ inches}$ first internal diameter

$di_2 = 23,20 \text{ mm}; di_2 = 0.9134 \text{ inches}$ second internal diameter

$di_z = 20,40 \text{ mm}; di_n = 0.8031 \text{ inches}$ final internal diameter

(e) $Dm_0 = 32,50 \text{ mm}; Dm_0 = 1.280 \text{ inches}$

$Dm_1 = 28,98 \text{ mm}; Dm_1 = 1.140 \text{ inches}$

$Dm_2 = 25,75 \text{ mm}; Dm_2 = 1.014 \text{ inches}$

$Dm_z = 22,90 \text{ mm}; Dm_n = 0.9016 \text{ inches}$

} to to $t_z = 2,50 \text{ mm}$ or
to to $t_n = 0.09843 \text{ in.}$
remains the same.

EXAMPLE 3

Depending on the number of drafts $z = n$, the unit cross sectional area reduction (reduction per draft) $a = r = \%$, and the exit lengths $L_0 = m$; $l_0 = \text{yd.}$ or $l_0 = \text{ft.}$ determine the final lengths.

1. With $Do = 35,00 \text{ mm}$ and exit length $L_0 = 5,00 \text{ m}$
2. With $Do = 1.378 \text{ in.}$ and exit length $l_0 = 5.47 \text{ yd.}$
3. With $Do = 1.378 \text{ in.}$ and exit length $l_0 = 16.40 \text{ ft.}$

Solution

The elongation from starting, $L = m$; $l = \text{yd.}$ and $l = \text{ft.}$ to finishing diameters is determined as follows:

Place the connecting line **B 100** to **CI 1** over the intersection of $z_1 = n_1 = 1$ draft with $a = r = 19,1 \%$ (as determined in table H in example 1 under 2/b).

With this setting, read off as follows:

1. Opposite $L_0 = 5,00 \text{ m}$ on A, read on B, $L_1 = 6,18 \text{ m}$
" $L_1 = 6,18 \text{ m}$ " A, " " B, $L_2 = 7,64 \text{ m}$
" $L_2 = 7,64 \text{ m}$ " A, " " B, $L_z = 9,44 \text{ m}$ final length
2. " $l_0 = 5.47 \text{ yd.}$ " A, " " B, $l_1 = 6.76 \text{ yd.}$
" $l_1 = 6.76 \text{ yd.}$ " A, " " B, $l_2 = 8.37 \text{ yd.}$
" $l_2 = 8.37 \text{ yd.}$ " A, " " B, $l_n = 10.35 \text{ yd.}$ final length
3. " $l_0 = 16.40 \text{ ft.}$ " A, " " B, $l_1 = 20.14 \text{ ft.}$
" $l_1 = 20.14 \text{ ft.}$ " A, " " B, $l_2 = 25.10 \text{ ft.}$
" $l_2 = 25.10 \text{ ft.}$ " A, " " B, $l_n = 31.02 \text{ ft.}$ final length

To determine the running time $t = \text{min.}$, for the in 1., 2., and 3. determined lengths, refer to section "Bar forming" example 2,6.

Determining the cross sectional are $F = \text{mm}^2$; $F = \text{sq. in.}$ the weight $G_M = \text{kp/m}$; $W_y = \text{lb./yd.}$ and $W_F = \text{lb./ft.}$; the length $L = \text{m/kp}$; $l = \text{yd./lb.}$ and $l = \text{ft./lb.}$ are given in example 10 in "tube forming".

EXAMPLE 4

Tube drawing with mandrel

Determine all factors for cold forming a tube having:

$D_o = 40,00 \text{ mm}$ or $D_o = 1.575 \text{ in.}$ starting external diameter

$d_{i_o} = 34,00 \text{ mm}$ or $d_{i_o} = 1.339 \text{ in.}$ starting internal diameter

$t_o = 3,00 \text{ mm}$ or $t_o = 0.1181 \text{ in.}$ starting wall thickness

to the following final dimensions

$D_z = 34,00 \text{ mm}$ or $D_n = 1.339 \text{ in.}$ final external diameter

$d_{i_z} = 28,00 \text{ mm}$ or $d_{i_n} = 1.102 \text{ in.}$ final internal diameter

$t_z = 3,00 \text{ mm}$ or $t_n = 0.1181 \text{ in.}$ final wall thickness.

The cold forming (drawing) is achieved by using mandrels of various diameters $d = \text{mm}$ or $d = \text{inches}$; depending on $z_1; z_2 \dots z_z = n_1; n_2 \dots n_n = \text{number of drafts}$ and also the unit cross sectional area reduction (reduction in area per draft) $a = r = \%$. By this process, only the outer and inner dimensions are reduced so that the inner wall retains the same smooth finish as the outer wall.

The wall thickness to $t_z = \text{mm}$ or to $t_n = \text{inches}$ remains the same throughout all drafts.

Solution

As in example 1, the basic setting is achieved as follows:

1. $D_o = 40,00 \text{ mm}$ or $D_o = 1.575 \text{ in.}$ on scale **C** opposite
 $d_z = 34,00 \text{ mm}$ or $D_n = 1.339 \text{ in.}$ on scale **D**
2. $d_{i_o} = 34,00 \text{ mm}$ or $d_{i_o} = 1.339 \text{ in.}$ on scale **C** opposite
 $d_{i_z} = 28,00 \text{ mm}$ or $d_{i_n} = 1.1034 \text{ in.}$ on scale **D**
3. $t_o = \text{mm}$ or $t_o = \text{in.}$ to $t_z = \text{mm}$ or $t_n = \text{in.}$ the wall thickness remaining the same.

Under the connecting line **B 100** to **CI 1** read on scale **G**, on Table **H** and on the other scales as follows for No. 1:

1. (a) On scale **G**, the total cross sectional area reduction $A = R = 27,8 \%$
(b) On table **H**, at the intersections of the curved lines ($z = n = \text{drafts}$) with the straight lines ($a = r = \%$) read the unit cross sectional areas off as follows:
 $z_1 = n_1$ drafts with $a = r = 27,8 \%$
 $z_2 = n_2$ " " $a = r = 15,0 \%$
 $z_3 = n_3$ " " $a = r = 10,1 \%$
- (c) Opposite **A 1** on **B**, the total elongation factor, $E = 1.382$
- (d) " $L_o = 5,00 \text{ mm}$ on **A**, a final length of $L_z = 6,83 \text{ mm}$ on **B**

- (e) Opposite $l_0 = 5.47$ yd. on A, $l_n = 7.59$ yd. on B
 (f) " $l_0 = 16.40$ ft. on A, $l_n = 22.78$ ft. on B
 (g) " $A = R = 27.8\%$ on G, total elongation
 ($E = 1.382 - 1 = 0.382 \cdot 100 = 38.2\%$ on B)

2. For No. 2, the total and unit cross sectional area reductions are determined by placing:

$di_0 = 34.00$ mm or $di_0 = 1.339$ in. on C opposite
 $di_z = 28.00$ mm or $di_n = 1.1034$ in. on D.

Under the connecting line B 100 with CI 1 read the following:

- (i) On scale G, the total cross sectional area reduction $A = R = 32.10\%$
 (j) On table H, at the intersection of $z_3 = n_3$ drafts, read $a = r = 12.1\%$ unit cross sectional area reduction which was determined under (b) as having $z = n = 3$ drafts.

EXAMPLE 5

Determine the draft diameters for forming the tube in Example 4.

Solution

Place for No. 1:

$Do = 40.00$ mm or $Do = 1.575$ inches and for No. 2:

$di_0 = 34.00$ mm or $di_0 = 1.339$ inches opposite D 10.

At this setting slide cursor line I continuously over the intersections of $z = n$ = number of drafts of:

1. z_1 with $a = 10.1\%$ or n_1 with $r = 10.1$ per cent
 z_2 " $a = 10.1\%$ " n_2 " $r = 10.1$ per cent
 z_3 " $a = 10.1\%$ " n_3 " $r = 10.1$ per cent
 2. z_1 " $a = 12.1\%$ " n_1 " $r = 12.1$ per cent
 z_2 " $a = 12.1\%$ " n_2 " $r = 12.1$ per cent
 z_3 " $a = 12.1\%$ " n_3 " $r = 12.1$ per cent

Under cursor line I on scale C read the following:

1. $Do = 40.00$ mm or $Do = 1.575$ in. starting external diameter
 $D_1 = 37.80$ mm or $D_1 = 1.488$ in. first draft diameter
 $D_2 = 35.80$ mm or $D_2 = 1.409$ in. second draft diameter
 $Dz = 34.00$ mm or $Dn = 1.339$ in. final draft diameter

2. $d_{i0} = 34,00 \text{ mm}$ or $d_{i0} = 1.339 \text{ in.}$ starting internal diameter
- $d_{i1} = 31,80 \text{ mm}$ or $d_{i1} = 1.252 \text{ in.}$ first mandrel diameter
- $d_{i2} = 29,80 \text{ mm}$ or $d_{i2} = 1.173 \text{ in.}$ second mandrel diameter
- $d_{i_z} = 28,00 \text{ mm}$ or $d_{i_n} = 1.102 \text{ in.}$ final mandrel diameter

The average diameters $D_m = \text{mm}$ or $D_m = \text{in.}$ are determined in example 2.

The wall thickness remains the same under this forming process when:

3. $t_z = 3,00 \text{ mm}$ or $t_n = 0.118 \text{ in.}$ final wall thickness.

EXAMPLE 6

Tube drawing with mandrel

Determine all factors for cold forming a tube having:

1. $D_o = 38,00 \text{ mm}$ or $D_o = 1.496 \text{ in.}$ external starting diameter
- $d_{i0} = 28,00 \text{ mm}$ or $d_{i0} = 1.102 \text{ in.}$ internal starting diameter
- $t_o = 5,00 \text{ mm}$ or $t_o = 0.1969 \text{ in.}$ starting wall thickness

to the following finished dimensions:

2. $D_z = 25,40 \text{ mm}$ or $D_n = 1.000 \text{ in.}$ final outside diameter
- $d_{i_z} = 19,40 \text{ mm}$ or $d_{i_n} = 0.7638 \text{ in.}$ final inside diameter
- $t_z = 3,00 \text{ mm}$ or $t_n = 0.1181 \text{ in.}$ final wall thickness

Attention! Contrary to examples 1 to 5, example 6 shows the reduction based on the external diameter $D_o = \text{mm}$ or $D_o = \text{inches}$ and the wall thickness $t_o = \text{mm}$ or $t_o = \text{inches}$ dependant on the total cross sectional area reduction $A = R = \%$, the number of drafts $z = n$ and the unit cross sectional area reduction (reduction per draft) $a = r = \%$.

Solution

All factors are determined by placing the basic setting of:

1. $D_o = 38,00 \text{ mm}$ or $D_o = 1.496 \text{ in.}$ on scale C opposite
 $D_z = 25,40 \text{ mm}$ or $D_n = 1.000 \text{ in.}$ on scale D
2. $d_{i0} = 28,00 \text{ mm}$ or $d_{i0} = 1.102 \text{ in.}$ on scale C opposite
 $d_{i_z} = 19,40 \text{ mm}$ or $d_{i0} = 0.7638 \text{ in.}$ on scale D
3. $t_o = 5,00 \text{ mm}$ or $t_o = 0.1969 \text{ in.}$ on scale C opposite
 $t_z = 3,00 \text{ mm}$ or $t_n = 0.1181 \text{ in.}$ on scale D.

Under the connecting line B 100 with CI 1 (slide withdrawn to the left) or under the connecting line B 1 with CI 10 (slide withdrawn to the right), read on scale G, on table H and on the other undermentioned scales as follows:

1. (a) On scale **G**, total cross sectional area reduction $A = R = 55,40\%$

(b) On table **H**, at the intersections of:

$z = n = 2$ drafts with $a = r = 33,1\%$ (per cent)

$z = n = 3$ " " $a = r = 23,6\%$ " "

$z = n = 4$ " " $a = r = 18,2\%$ " "

$z = n = 5$ " " $a = r = 14,9\%$ " "

$z = n = 6$ " " $a = r = 12,6\%$ " "

$z = n = 7$ " " $a = r = 10,9\%$ " "

The choice of reduction per draft is dependant on the material.

(c) Opposite **A 1** on **B**, the total elongation factor $E = 2,25$

(d) " $L_0 = m$ on **A**; $L_z = m$ on **B**

(e) " $l_0 = yd.$ on **A**; $l_n = yd.$ on **B**

(f) " $l_0 = ft.$ on **A**; $l_n = ft.$ on **B**

(g) " $A = R = 55,40\%$ on scale **A**, $E = 2,25 - 1 = 1,25 \times 100 = 125\%$ total elongation.

(h) " **D 1** on **C**, diameter ratio (D_0/D_z) or $(D_0/D_n) = 1,495$.

Note: Although for forming the outside diameters $z = n = 5$ drafts have been chosen depending on the material, the same drafts will be used for the inside diameters and wall thickness. This is determined by the basic setting as in 1. (a) and (b). Read off for:

2. (i) On scale **G**, total cross sectional area reduction $A = R = 51,90\%$

(j) On table **H**, with $z = n = 5$ drafts, $a = r = 13,7\%$
reduction per draft

3. (k) On scale **G**, total cross sectional area reduction $A = R = 64,0\%$

(l) On table **H**, with $z = n = 5$ drafts, $a = r = 18,4\%$
reduction per draft

EXAMPLE 7

Determine for example 6 the separate draft diameters.

Solution:

When determining the draft diameters: $D_1; D_2 \dots D_z = mm; D_1; D_2 \dots D_n = in.; d_1; d_2 \dots d_z = mm; d_1; d_2 \dots d_n = in.;$ and $t_1; t_2 \dots t_z = mm; t_1; t_2 \dots t_n = in.:$ place on scale **C** opposite **D 10** the following:

1. $D_o = 38,00 \text{ mm}$ or $D_o = 1.496 \text{ in.}$
2. $d_{i_0} = 28,00 \text{ mm}$ or $d_{i_0} = 1.102 \text{ in.}$
3. $t_o = 5,00 \text{ mm}$ or $t_o = 0.1969 \text{ in.}$

Now slide cursor line **I** continuously over the intersections of:

1. $z_0; z_1; z_2 \dots z_5 = n_5$ drafts with $a = r = 14,9\%$
2. $z_0; z_1; z_2 \dots z_5 = n_5$ drafts with $a = r = 13,7\%$
3. $z_0; z_1; z_2 \dots z_5 = n_5$ drafts with $a = r = 18,4\%$

on table **H**, and read under cursor line **I** on scale **C** the forming drafts as for 1. to 3. as follows:

1. $D_o = 38,00 \text{ mm}$ or $D_o = 1.496 \text{ inches}$ starting outside diameter
 $D_1 = 35,00 \text{ mm}$ or $D_1 = 1.378 \text{ inches}$ 1st draft diameter
 $D_2 = 32,30 \text{ mm}$ or $D_2 = 1.272 \text{ inches}$ 2nd draft diameter
 $D_3 = 29,80 \text{ mm}$ or $D_3 = 1.173 \text{ inches}$ 3rd draft diameter
 $D_4 = 27,50 \text{ mm}$ or $D_4 = 1.083 \text{ inches}$ 4th draft diameter
 $D_z = 25,40 \text{ mm}$ or $D_5 = 1.000 \text{ inches}$ finishing outside diameter
2. $d_{i_0} = 28,00 \text{ mm}$ or $d_{i_0} = 1.102 \text{ inches}$ starting inside diameter
 $d_{i_1} = 26,00 \text{ mm}$ or $d_{i_1} = 1.024 \text{ inches}$ 1st mandrel diameter
 $d_{i_2} = 24,20 \text{ mm}$ or $d_{i_2} = 0.9488 \text{ inches}$ 2nd mandrel diameter
 $d_{i_3} = 23,20 \text{ mm}$ or $d_{i_3} = 0.9094 \text{ inches}$ 3rd mandrel diameter
 $d_{i_4} = 21,55 \text{ mm}$ or $d_{i_4} = 0.8484 \text{ inches}$ 4th mandrel diameter
 $d_{i_z} = 19,40 \text{ mm}$ or $d_{i_n} = 0.7638 \text{ inches}$ finishing inside diameter
3. $t_o = 5,00 \text{ mm}$ or $t_o = 0.1969 \text{ inches}$ starting wall thickness
 $t_1 = 4,52 \text{ mm}$ or $t_1 = 0.1780 \text{ inches}$ 1st draft wall thickness
 $t_2 = 4,06 \text{ mm}$ or $t_2 = 0.1598 \text{ inches}$ 2nd draft wall thickness
 $t_3 = 3,68 \text{ mm}$ or $t_3 = 0.1449 \text{ inches}$ 3rd draft wall thickness
 $t_4 = 3,33 \text{ mm}$ or $t_4 = 0.1311 \text{ inches}$ 4th draft wall thickness
 $t_z = 3,00 \text{ mm}$ or $t_n = 0.1181 \text{ inches}$ final wall thickness

To determine $D_m = \text{mm}$ or $D_m = \text{inches}$, refer to example 1.

Attention!

To determine the weight $G_M = \text{kp/m}$; $W_y = \text{lb./yd.}$ and $W_F = \text{lb./ft.}$ as well as the length $L = \text{m/kp}$; $l = \text{yd./lb.}$ and $l = \text{ft./lb.}$, refer to example 10. When determining these values it is to be especially noted that the setting will differ.

Note:

The reduction per draft $a = r = \%$ is limited to 10% on slide rules (a) and (b). In cold forming practice, it does occur (as seen in example 8) that reductions per draft of less than $a = r = 10\%$ must be used for determining the factors for which the slide rules can be adapted.

EXAMPLE 8

Tube drawing with Mandrel.

Determine all factors cold forming a tube having:

$Do = 30,00 \text{ mm}$ or $Do = 1.181 \text{ in.}$ starting external diameter

$di_o = 25,00 \text{ mm}$ or $di_o = 0.9843 \text{ in.}$ starting internal diameter

$to = 2,50 \text{ mm}$ or $to = 0.0984 \text{ in.}$ wall thickness

to the following finished dimensions:

$Dz = 25,40 \text{ mm}$ or $Dn = 1.000 \text{ in.}$ external diameter

$di_z = 22,40 \text{ mm}$ or $di_n = 0.8819 \text{ in.}$ internal diameter

$tz = 1,50 \text{ mm}$ or $tn = 0.0591 \text{ in.}$ wall thickness

To determine the necessary factors for the tube forming, use the basic setting:

1. $Do = 30,00 \text{ mm}$ or $Do = 1.181 \text{ in.}$ on scale C, opposite

$Dz = 25,40 \text{ mm}$ or $Dn = 1.000 \text{ in.}$ on scale D.

2. $di_o = 25,00 \text{ mm}$ or $di_o = 0.9843 \text{ in.}$ on scale C, opposite

$di_z = 22,40 \text{ mm}$ or $di_n = 0.8819 \text{ in.}$ on scale D.

3. $to = 2,50 \text{ mm}$ or $to = 0.0984 \text{ in.}$ on scale C, opposite

$tz = 1,50 \text{ mm}$ or $tb = 0.0590 \text{ in.}$ on scale D.

Under the connecting line B 100 with CI 1 (slide withdrawn to the left) or under the connecting line B 1 with CI 10 (slide with drawn to the right) read on scale G, on table H and the other undermentioned scales as follows:

1. (a) On scale A, total cross sectional area reduction $A = R = 28,4 \%$

(b) On table H, at the intersections of

$z = n = 1 \text{ draft}$ with $a = r = 28,4 \%$

$z = n = 2 \text{ drafts}$ with $a = r = 15,3 \%$

$z = n = 3 \text{ drafts}$ with $a = r = 10,5 \%$

$*z = n = 4 \text{ drafts}$ with $a = r = 7,1 \%$

The undeterminable reduction per draft $a = r = \%$ is achieved by dividing the total reduction by $z = n = *4 \text{ drafts}$ as follows:

$$A = R = 28,4\% \div *4 = 7,10\% \text{ reduction per single draft.}$$

- (c) Opposite **A 1** on **B**, the total elongation factor **E = 1,39**
- (d) " **L_o = m** on **A**, **Lz = m** on scale **B**
- (e) " **l_o = yd.** on **A**, **ln = yd.** on scale **B**
- (f) " **l_o = ft.** on **A**, **ln = yd.** on scale **B**
- (g) " **A = R = 28,4%** on scale **A**, **E = 1,39 - 1 = 0,39 × 100 = 39%** elongation on scale **B**
- (h) " **D 1** on scale **C**, diameter ratio **(Do/Dz)** or **(Do/Dn) = 1,181**.
Attention! Though the forming of the outside diameters, depending on the material, had been chosen as **z = n = *4** drafts, the same number of drafts must be used in forming the inside diameters and the wall thickness.

These are determined by the basic setting as in 1 (a) and (b).
Read off as follows:

2. (i) On scale **G**, total cross sectional area reduction **A = R = 19,8%**
- (j) On table **H**, at the intersection of (not readable).

The unreadable reduction per draft **a = r = %** is achieved by dividing the total reduction by **z = n = *4** drafts as follows:

$$A = R = 19,8\% \div *4 = 4,95\% \text{ reduction per draft.}$$

For the forming of the wall thickness, read off as follows:

3. (k) On scale **G**, total cross sectional area reduction **A = R = 64,0%**
- (l) On table **H**, at the intersection of **z = r = 4** drafts with **a = r = 22,5%**

EXAMPLE 9

Determine for example 8 the unit cross sectional area reductions (reductions per single draft).

Solution

To determine the draft diameters **D₁ D_z = mm** or **D₁ D_n = in**. Slide the connecting line **B 100** with **CI 1** continuously over:

$$*a = r = 7,10 + 7,10 = 14,20 + 7,10 = 21,30 + 7,10 = 28,4\%$$

for 1, and for 2 over:

$$*a = r = 4,95 + 4,95 = 9,90 + 4,95 = 14,85 + 4,95 = 19,8\%$$

on scale **G**. Read for 1 opposite **Do = 30,00 mm** or **Do = 1.181 in**. the draft diameter and for 2 read opposite **di_o = 25,00 mm** or **di_o = 0.9843 in**. the inside diameter.

For 3, the wall thicknesses are as follows:

1. $D_o = 30,00 \text{ mm}$ or $D_o = 1.181 \text{ inches}$ starting external diameter
 $D_1 = 28,90 \text{ mm}$ or $D_1 = 1.140 \text{ inches}$ 1st draft diameter
 $D_2 = 27,60 \text{ mm}$ or $D_2 = 1.096 \text{ inches}$ 2nd draft diameter
 $D_3 = 26,60 \text{ mm}$ or $D_3 = 1.050 \text{ inches}$ 3rd draft diameter
 $D_z = 25,40 \text{ mm}$ or $D_n = 1.000 \text{ inches}$ final external diameter

2. $di_o = 25,00 \text{ mm}$ or $di_o = 0.9843 \text{ inches}$ starting internal diameter
 $di_1 = 24,40 \text{ mm}$ or $di_1 = 0.9561 \text{ inches}$ 1st mandrel diameter
 $di_2 = 23,80 \text{ mm}$ or $di_2 = 0.9335 \text{ inches}$ 2nd mandrel diameter
 $di_3 = 23,10 \text{ mm}$ or $di_3 = 0.9100 \text{ inches}$ 3rd mandrel diameter
 $di_z = 22,40 \text{ mm}$ or $di_n = 0.8819 \text{ inches}$ final mandrel diameter

3. $t_o = 2,50 \text{ mm}$ or $t_o = 0.09843 \text{ inches}$ starting wall thickness
 $t_1 = 2,20 \text{ mm}$ or $t_1 = 0.08661 \text{ inches}$ 1st draft wall thickness
 $t_2 = 1,93 \text{ mm}$ or $t_2 = 0.07598 \text{ inches}$ 2nd draft wall thickness
 $t_3 = 1,71 \text{ mm}$ or $t_3 = 0.06700 \text{ inches}$ 3rd draft wall thickness
 $t_z = 1,50 \text{ mm}$ or $t_n = 0.05906 \text{ inches}$ final wall thickness

$D_m = \text{mm}$ and $D_m = \text{inches}$ are determined as in example 1.

Note

Examples 1 to 9 have shown the versatility of slide rules (a) and (b) in the tube forming process. These examples can naturally be adapted to other starting values and all factors can be determined according to them.

Apart from determining the necessary factors for the actual tube forming process, it may be of interest to the tube technician to quickly and accurately calculate any other relevant details.

The tube technician may wish to easily, and without complicated calculations and with the help of slide rules (a) and (b), achieve the following:

- (a) The weight $G_M = \text{kp/m}$ and length $L = \text{m/kp}$
- (b) The weight $W_y = \text{lb./yd.}$ and length $l = \text{yd./lb.}$
- (c) The weight $W_F = \text{lb./ft.}$ and length $l = \text{ft./lb.}$

These are explained in the following example:

EXAMPLE 10

Determine for the tube dimensions in example 6 and having:

1. $Do = 38,00 \text{ mm}$ or $Do = 1.496 \text{ in.}$ starting external diameter
 $di_o = 28,00 \text{ mm}$ or $di_o = 1.102 \text{ in.}$ starting internal diameter
 $to = 5,00 \text{ mm}$ or $to = 0.1969 \text{ in.}$ wall thickness
2. $Dz = 25,40 \text{ mm}$ or $Dn = 1.000 \text{ in.}$ finishing external diameter
 $di_z = 19,40 \text{ mm}$ or $di_n = 0.7638 \text{ in.}$ finishing internal diameter
 $tz = 3,00 \text{ mm}$ or $tn = 0.1181 \text{ in.}$ finishing wall thickness

the weights and lengths of tubes having the in 1 and 2 given dimensions out of the following materials:

- I. Steel or Iron
- II. Copper
- III. Aluminium

Solution:

First determine the average diameter Dm given in example under solution (e) and (g), as follows:

1. $Do = 38,00 \text{ mm} - to = 5,00 \text{ mm} = Dm = 33,00 \text{ mm}$ average starting diameter
2. $Dz = 25,40 \text{ mm} - tz = 3,00 \text{ mm} = Dm = 22,40 \text{ mm}$ average finishing diameter
1. $Do = 1.496 \text{ in.} - to = 0.1969 \text{ in.} = Dm = 1.2991 \text{ in.}$ average starting diameter
2. $Dn = 1.000 \text{ in.} - tn = 0.1181 \text{ in.} = Dm = 0.8819 \text{ in.}$ average finishing diameter

then determine the cross sectional area $F = \text{mm}^2$ or $F \text{ sq. in.}$ by the following equation.

1. $F = Dm \cdot \pi \cdot to$ [mm²]; $F = Dm \cdot \pi \cdot to =$ [sq. in.]
2. $F = Dm \cdot \pi \cdot tz$ [mm²]; $F = Dm \cdot \pi \cdot tn =$ [sq. in.]

Determining the cross sectional area by multiplication is achieved with the following setting:

Place for

1. $to = 5,00 \text{ mm}$ or $to = 0.1969 \text{ in.}$ on scale **CI** opposite
 $Dm = 33,00 \text{ mm}$ or $Dm = 1.2991 \text{ in.}$ on scale **D**.

Or for,

2. $tz = 3,00 \text{ mm}$ or $tn = 0.1181 \text{ in.}$ on scale **CI** opposite
 $Dm = 22,40 \text{ mm}$ or $Dm = 0.8819 \text{ in.}$ on scale **D**.

Note: CI = Reciprocal scale

Opposite $\pi = 3.14$ on scale **C** read the following on scale **D**:

1. $F = 518 \text{ mm}^2$ or $F = *0.801 \text{ sq. in.}$ (* move slide to other side)
2. $F = 211 \text{ mm}^2$ or $F = 0.327 \text{ sq. in.}$

Then move cursor line I over the determined tube cross sectional area.

1. $F = 518 \text{ mm}^2$ or $F = 0.801 \text{ sq. in.}$ on scale **A**
2. $F = 211 \text{ mm}^2$ or $F = 0.327 \text{ sq. in.}$ on scale **A**.

Note: Determining the tube cross sectional area is the same for all materials.

At this setting place one of the following fixed symbols under cursor line III at the bottom right hand side of the cursor

I. Iron and Steel tube

$$\left. \begin{aligned} F &= 1.273 \text{ or } F_1 = 4.020 \\ F_{yd} &= 1.117 \text{ or } F_{yd1} = 3.531 \\ F_{ft} &= 1.934 \text{ or } F_{ft1} = 6.116 \end{aligned} \right\} \text{Fixed on scale C}$$

II. Copper tube

$$\left. \begin{aligned} F &= 1.192 \text{ or } F_1 = 3.770 \\ F_{yd} &= 1.045 \text{ or } F_{yd1} = 3.305 \\ F_{ft} &= 1.810 \text{ or } F_{ft1} = 5.725 \end{aligned} \right\} \text{given in table 1}$$

III. Aluminium tube

$$\left. \begin{aligned} F &= 6.867 \text{ or } F_1 = 2.171 \\ F_{yd} &= 1.904 \text{ or } F_{yd1} = 6.020 \\ F_{ft} &= 1.043 \text{ or } F_{ft1} = 3.293 \end{aligned} \right\} \text{given in table 1}$$

Note: With the slide withdrawn to the right read:

$$G_M = \text{kp/m}; W_y = \text{lb./yd.}; W_F = \text{lb./ft. opposite B 1}$$

and at the same time read opposite A 100:

$$L = \text{m/kp}; l = \text{yd./lb.}; l = \text{ft./lb.}$$

With the slide withdrawn to the left, the reverse is read off. At the above setting, the following results can now be read off:

I. Iron and Steel tube forming

$$\begin{aligned} *F &= 518 \text{ mm}^2 & G_M &= 4,066 \text{ kp/m} & \text{and } L &= 0,246 \text{ m/kp} \\ *F &= 0.801 \text{ sq. in.} & W_y &= 8.197 \text{ lb./yd.} & \text{" } l &= 0.122 \text{ yd./lb.} \\ *F &= 0.801 \text{ sq. in.} & W_F &= 2.733 \text{ lb./ft.} & \text{" } l &= 0.366 \text{ ft./lb.} \\ **F &= 211 \text{ mm}^2 & G_M &= 1,656 \text{ kp/m} & \text{" } L &= 0,604 \text{ m/kp} \\ **F &= 0.327 \text{ sq. in.} & W_y &= 3.328 \text{ lb./yd.} & \text{" } l &= 0.300 \text{ yd./lb.} \\ **F &= 0.327 \text{ sq. in.} & W_F &= 1.113 \text{ lb./ft.} & \text{" } l &= 0.894 \text{ ft./lb.} \end{aligned}$$

II. Copper tube having:

$$\begin{aligned} *F &= 518 \text{ mm}^2 & G_M &= 4,641 \text{ kp/m} & \text{" } L &= 0,216 \text{ m/kp} \\ *F &= 0.801 \text{ sq. in.} & W_y &= 9.356 \text{ lb./yd.} & \text{" } l &= 0.107 \text{ yd./lb.} \\ *F &= 0.801 \text{ sq. in.} & W_F &= 3.119 \text{ lb./ft.} & \text{" } l &= 0.321 \text{ ft./lb.} \end{aligned}$$

$$\begin{aligned} \text{**F} &= 211 \text{ mm}^2 & G_M &= 1,891 \text{ kp/m} & \text{and } L &= 0,529 \text{ m/kp} \\ \text{**F} &= 0.327 \text{ sq. in.} & W_y &= 3.812 \text{ lb./yd.} & \text{" } l &= 0.262 \text{ yd./lb.} \\ \text{**F} &= 0.327 \text{ sq. in.} & W_F &= 1.270 \text{ lb./ft.} & \text{" } l &= 0.787 \text{ ft./lb.} \end{aligned}$$

III. Aluminium tube having:

$$\begin{aligned} \text{*F} &= 518 \text{ mm}^2 & G_M &= 1,399 \text{ kp/m} & \text{" } L &= 0,715 \text{ m/kp} \\ \text{*F} &= 0.801 \text{ sq. in.} & W_y &= 2.220 \text{ lb./yd.} & \text{" } l &= 0.451 \text{ yd./lb.} \\ \text{*F} &= 0.801 \text{ sq. in.} & W_F &= 0.940 \text{ lb./ft.} & \text{" } l &= 1.064 \text{ ft./lb.} \\ \text{**F} &= 211 \text{ mm}^2 & G_M &= 0,570 \text{ kp/m} & \text{" } L &= 1,755 \text{ m/kp} \\ \text{**F} &= 0.327 \text{ sq. in.} & W_y &= 1.150 \text{ lb./yd.} & \text{" } l &= 0.870 \text{ yd./lb.} \\ \text{**F} &= 0.327 \text{ sq. in.} & W_F &= 0.383 \text{ lb./ft.} & \text{" } l &= 2.612 \text{ ft./lb.} \end{aligned}$$

At * weight and length of starting tube \pm the reading off accuracy

At ** weight and length of finishing tube \pm the reading off accuracy.

With the help of the above examples, all necessary factors can be determined for cold forming tubes in any material from any starting and internal diameter.

When reading off results, the placing of the decimal point is important.

The tube circumference $U = \text{mm}$ or $U = \text{inches}$ is referred to in example 1,0, the surface area $O = \text{m}^2/\text{kp}$ or $O = \text{sq. in./lb.}$ is referred to in example 1,1 (a), (b) and (c).

Examples 2,5 and 2,6 refer to:

- (a) the tube lengths in **meters, yards** or **feet** after cold forming
- (b) the running time $t = \text{min.}$ for any given tube length

(a) The universal Slide rule "DRAHT" IWA 09 102,
System: **Kohlhase-Heuel**
will be obtainable approximately middle of 1965.

(b) The Universal Pocket Slide rule "DRAHT" ARISTO 40 128
System: **Kohlhase-Heuel**
will be obtainable middle of March 1965.

Obtainable from the technical book and slide rule publishers and distributors:

Hermann F. Heuel, Höhenstraße 63, D-8959 Hopfen am See

The following reports refer to slide rule (a) and (b) for determining all factors for
WIRE, BAR and TUBE FORMING,
in both units of measurement (metric and inches) as shown in the preceding
examples.

REPORTS

Rhineland-Westphalian Technical High School at Aachen.

Institute for Industrial Forming

Auf Ersuchen der Firma F. KOHLHASE, Dortmund-Asseln, Wiscelusweg 7, wurde der UNIVERSAL-RECHENSCHIEBER „DRAHT“ dem Institut für Bildsame Formgebung der Technischen Hochschule Aachen zwecks Prüfung auf seine Eignung für die Praxis und seine Anwendbarkeit in Forschung und Lehre überreicht.

Der neue Universal-Rechenschieber „DRAHT“ von F. Kohlhasse bietet dem Hersteller von Draht auf Grund seiner vielfältigen Anwendungsmöglichkeiten eine merkwürdige Hilfe. Die für die Drahtherstellung notwendigen jedoch zeitraubenden Berechnungen lassen sich bei Anwendung dieses Gerätes in ganz kurzer Zeit lösen.

Die Ermittlung von Zugzahl, Abnahmeverhältnis, Ziehgeschwindigkeit, Laufzeit, Durchsatz usw. kann sicher und schnell erfolgen. Es läßt sich z. B. für jeden einzelnen Zug bei Festsetzung der Abnahmestufung die jeweils zu erwartende Festigkeit in Abhängigkeit vom C-Gehalt, der Gesamtquerschnittsabnahme und der Patentierfestigkeit sofort ablesen. Dies möge an einem Beispiel näher erläutert werden:

Es ist ein Stahldraht herzustellen, der einen Enddurchmesser von $d_z = 0,95$ mm haben soll bei einer Zugfestigkeit $\sigma_B = 220$ kp/mm². Als Ausgangsmaterial steht ein Walzdraht $d_0 = 5,0$ mm mit einem C-Gehalt von 0,70 % zur Verfügung.

Mit nur einer Schieberstellung läßt sich folgendes ermitteln: Gesamtquerschnittsabnahme $A = 90$ % bei $z = 9$ Zügen mit jeweils $a = 22,5$ % Einzelquerschnittsabnahme. Der Enddrahtdurchmesser, $d_z = 0,95$ mm entspricht einem Patentierungs- oder Härtedrahtdurchmesser $d_h = 3,0$ mm bei einer Patentierfestigkeit $\sigma_B = 120$ kp/mm². Die Verlängerung beträgt $l_z/l_0 = 10$.

Der neue Rechenschieber erlaubt auch, neben der Stufung jeweils gleicher Einzelabnahmen, unterschiedliche Einzelquerschnittsabnahmen je Zug (sowohl steigend wie auch fallend) zu ermitteln.

Arbeitsbedarf und Leistungsaufnahme bei Einzelzug wie bei Mehrfachzug sind mit den gefundenen Werten und an Hand der auf der Rückseite des Schiebers angegebenen Formeln leicht zu bestimmen. Darüber hinaus erfüllt der Universal-Rechenschieber alle üblichen Funktionen eines gewöhnlichen Rechenschiebers. Er bietet weiterhin den Vorteil, sämtliche Berechnungen im metrischen und im Zoll-System durchzuführen, die für die Herstellung von Metalldrähten aus Aluminium, Blei, Chrom, Chromnickelstahl 18/8, Chromstahl 13 % Cr, Kupfer, Messing MS 63, MS 80 und MS 90, Monelmetall, Nickel und Phosphorbronze notwendig sind. Dieses dürfte für alle Betriebe von größtem Wert sein, die ein weites Exportprogramm zu erfüllen haben.

Die neu eingeführte auswechselbare Spezialzunge enthält auf einer Seite die Tabelle mit den Zug- und Patentierfestigkeiten σ_B kp/mm², auf der anderen Seite σ_L lb./sq. in. $\times 10^3$. Auf dem Stabkörper unter der Spezialzunge sind die spezifischen Gewichte und die festen F-Marken aufgetragen, was ein Suchen und Nachschlagen erübrigt.

Das Ausmaß des Rechenschiebers erlaubt es allerdings nicht, ihn ständig bei sich zu tragen. Dieser Nachteil — wenn man ihn als solchen bezeichnen will — wird aber durch seine universelle Anwendungsmöglichkeit und die dabei größere Ablesegenauigkeit wieder aufgehoben. Nach dem Studium der ausführlichen und mit vielen praktischen Beispielen versehenen Anleitung dürfte die Handhabung des neuen Rechengerätes keinerlei Schwierigkeiten mehr bereiten.

Auf Grund einer ausführlichen eigenen Prüfung dieses Rechenschiebers bei der Anwendung auf praktische Betriebsfälle kann versichert werden, daß seine leichte und schnelle Handhabung eine enorme Zeitersparnis bei seiner Anwendung mit sich bringt, so daß es zu wünschen wäre, daß sich der Universal-Rechenschieber in der Praxis weitgehend einführt.

Dipl.-Ing. K. Becker, Assistent im Institut für Bildsame Formgebung, Aachen.

gez. i. V. Prof. Dr.-Ing. E. h. Eilender.

Aachen, den 4. 2. 1959

GUTACHTEN

**Dr.-Ing. Anton F. Mohrheim, P. Eng. Associate Research,
Prof. of Metallurgy, University of Rhode Island, USA**

Betr.: Universal-Rechenschieber „DRAHT“ Aristo 90 103, System Kohlhasse.

Der oben angeführte Rechenstab ist ein neuzeitliches, bequemes und nützliches Hilfsmittel für die gesamte Eisen-, Stahl- und Metalldrahtindustrie. Er ist vielseitig, übersichtlich und trägt die Merkmale gründlicher deutscher Präzisionsarbeit.

Rationelle Betriebsführung, erhöhte Anforderungen an mechanische Eigenschaften von Metallen sowie moderne Hochleistungs-Mehrfachziehmaschinen verlangen bei der Kaltverformung von Draht die Berechnung der Einzel- und Gesamtdrahtziehvorgänge und der Kalkulation. Meine langjährigen Erfahrungen in verschiedenen Metallwerken lehrten mich, daß beim Drahtziehen im allgemeinen zu wenig gerechnet und zu viel kostspielig und zeitraubend „ausprobiert“ wird.

Es ist deshalb begrüßenswert, daß diese rechnerischen Manipulationen bei der Fertigung von Draht mit obigem Rechenstab schnell, mühelos und bei leichtester Handhabung ausgeführt werden können.

Die konsistent und kontinuierliche Durchführung von Berechnungen für die Fertigung von Draht ist m. E. von allen verantwortlichen Büro- und Betriebsangestellten durch alle Arbeitsstufen in einer fortschrittlichen Drahtindustrie eine wirtschaftliche und technische Notwendigkeit. Der Rechenstab ist der gesamten Drahtindustrie dafür als praktisches Hilfsmittel empfohlen.

Kingston, R. I. 16. Januar 1959.

gez. Dr. Anton F. Mohrheim.

NOTIZEN

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ÜBUNGSRECHEN

Dr. Anton F. ...

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